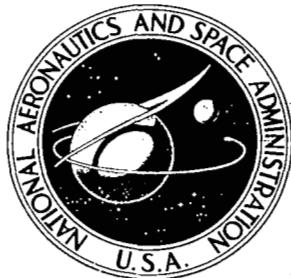




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SMALL DEFLECTION OF A CLASS
OF CLAMPED THIN PLATES
USING CONFORMAL MAPPING

by Will J. Worley and Thomas F. Moriarty

Prepared by

UNIVERSITY OF ILLINOIS

Urbana, Ill. 61801

by

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16. Abstract The small deflection behavior is presented for clamped flat plates having a boundary defined by the equation $ \frac{x}{a} ^\alpha + \frac{y}{b} ^\beta = 1$ where a , b , α and β are positive constants not necessarily integers, with $\frac{1}{3} \leq \frac{b}{a} \leq 3$ and $1 \leq \alpha, \beta \leq 10$. The coefficients of the series representing the conformal mapping of the interior of the unit circle onto the interior of the above equation are tabulated in NASA Report, CR 1357, May, 1969. These coefficients are applied in the current report to small deflection analysis of the plates.		
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SMALL DEFLECTION OF A CLASS OF CLAMPED
THIN PLATES USING CONFORMAL MAPPING

by

Will J. Worley and Thomas F. Moriarty

Department of Theoretical and Applied Mechanics
University of Illinois
Urbana, Illinois

SUMMARY

The small deflection behavior is presented for clamped flat plates having a boundary defined by the equation $\left|\frac{x}{a}\right|^{\alpha} + \left|\frac{y}{b}\right|^{\beta} = 1$ where a , b , α and β are positive constants not necessarily integers, with $\frac{1}{3} \leq \frac{b}{a} \leq 3$ and $1 \leq \alpha, \beta \leq 10$. The coefficients of the series representing the conformal mapping of the interior of the unit circle onto the interior of the above equation are tabulated for in NASA report, CR 1357, May 1969. These coefficients are applied in the current report to the small deflection analysis.



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INTRODUCTION

1. Objective of General Project and the Relation to Current Report

The optimization of the design of a relatively large class of plate and shell type structures constituted the primary objectives of this project. The governing equations were

$$\left| \frac{x}{a} \right|^{\alpha} + \left| \frac{y}{b} \right|^{\beta} = 1 \quad (1)$$

$$\left| \frac{x}{a} \right|^{\alpha} + \left| \frac{y}{b} \right|^{\beta} + \left| \frac{z}{c} \right|^{\gamma} = 1 \quad (2)$$

where a , b , c , α , β and γ are positive constants which need not be integers. Three dimensional shapes result from revolving the line element defined by (1) about the x -axis or about the y -axis as well as from (2). Shells defined by (2) could have bulk heads defined by (1).

The geometrical and inertial properties of the above classes of shells were first obtained [1, 2]. *. Next shells of revolution with maximum enclosed volume and minimum weight were investigated, [3], with weighting functions used to establish the relative importance of weight and of volume in the optimization process. A study of the vibration of beams was also reported [4], for which the beam cross-section was defined by (1). A later report presented the coefficients of the series representing the conformal mapping of the interior of the unit circle onto the interior of (1) for various values of b/a , α and β , [5]. The major features of [3] were subsequently reported in the technical literature, [7].

It is noted that the circle, ellipse, square, rectangle and the skew slab or diamond shape are all special cases which may be generated exactly from (1) along with a continuous variation of intermediate shapes. This provides the designer with an extremely versatile tool for use with the digital computer in achieving optimum designs for a variety of purposes.

Because of the general nature of (1) and the very limited range of available solutions for the deflections of clamped plates, it was decided early in the research effort that three independent methods should be used in the determination of the deflections. Thus the accuracies of the solutions could be checked with certainty.

*Numbers in brackets refer to the references.

In fact this procedure lead to the location of small errors, requiring refined programming, which were not apparent in one range of shapes but were important in another range. Three methods: conformal mapping, collocation and energy yielded sufficiently similar results when completed to lend confidence to all three sets of solutions over the range of values reported. In addition, they provided a firm base on which to build the large deflection solutions using the Ritz energy method and iterating from the small deflection solutions provided by the energy method. This latter method will be explained in a subsequent report.

2. Purpose of Report

Having generated the conformal mappings of the interior of the unit circle onto the interior of the relatively general class of curves defined by (1), they are applied here to the small deflection of the clamped plate for the purpose of numerical comparison with other methods. Further, they provide a means of comparing the solution time for the collocation method and for the Ritz energy method, with the conformal method.

The theory of this method as it applied to the deflection of plates is presented first. This is followed by a discussion of the computer program, the print out of the computer program and the tabulated results for a variety of plate shapes.

3. Acknowledgement

This project was sponsored by the National Aeronautics and Space Administration, Office of Advanced Research and Technology, Applied Mathematics Branch, of which Dr. Raymond H. Wilson was Chief. Since the initiation of this project, he has assumed new duties at the NASA Space Flight Center, Greenbelt, Maryland.

This investigation was part of the work of the Engineering Experiment Station of which Professor Ross J. Martin is director and was conducted in the Department of Theoretical and Applied Mechanics of which Professor Thomas J. Dolan is Head.

The authors wish to thank Messrs. James A. Hedrick, Gustav A. Nystrom, Frank E. Wyatt for assistance with the programming. Mr. Nystrom assisted as well with the preparation of the report for reproduction.

THE DEFLECTION OF A CLASS OF LINEARLY LOADED CLAMPED PLATES VIA CONFORMAL MAPPING

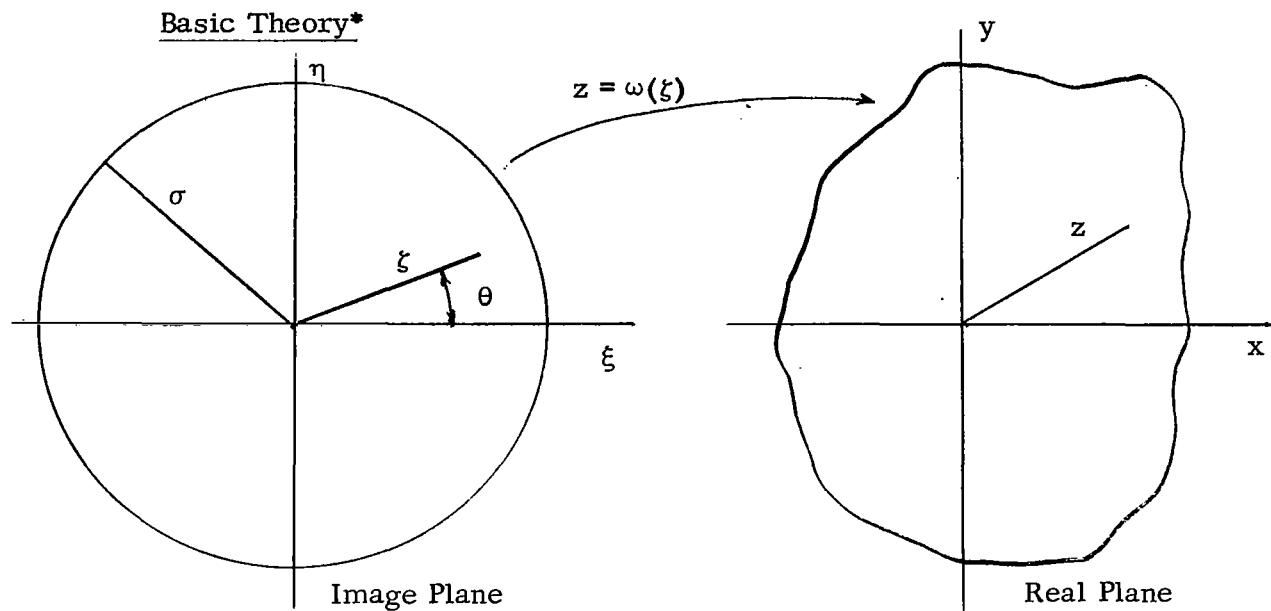


Fig. 1

For thin plates with constant flexural rigidity, D , subjected to a transverse loading, q , the well-known governing differential equation for small transverse deflections, W , is

$$\nabla^4 W = \frac{q}{D} \quad (1)$$

Using the complex conjugate coordinates z and \bar{z} where

$$z = x + iy$$

$$\bar{z} = x - iy$$

it is observed that

*This is a brief discussion of the complex variable approach to the clamped plate problem tailored to the particular needs of this work's objectives. For a more detailed discussion of the basic theory see for example [6].

$$\frac{\partial}{\partial x} = \frac{\partial}{\partial z} + \frac{\partial}{\partial \bar{z}}$$

$$\frac{\partial}{\partial y} = i \left(\frac{\partial}{\partial z} - \frac{\partial}{\partial \bar{z}} \right)$$

Hence

$$\frac{\partial}{\partial z} = \frac{1}{2} \left(\frac{\partial}{\partial x} - i \frac{\partial}{\partial y} \right)$$

$$\frac{\partial}{\partial \bar{z}} = \frac{1}{2} \left(\frac{\partial}{\partial x} + \frac{\partial}{\partial y} \right)$$

Therefore

$$\nabla^2 = \frac{\partial^2}{\partial x^2} + \frac{\partial^2}{\partial y^2} = 4 \frac{\partial^2}{\partial z \partial \bar{z}}$$

Now (1) can be written

$$\frac{\partial^4 W}{\partial z^2 \partial \bar{z}^2} = \frac{q}{16 D} \quad (2)$$

The solution, W , of (2) can be resolved into two parts

$$W = W_p + W_c$$

Where

W_p is called the particular solution

$$W_p = \frac{1}{16 D} \iiint q \, dz \, d\bar{z} \, d\bar{z} \quad (3)$$

and

W_c is called the complementary solution

$$\frac{\partial^4 W_c}{\partial z^2 \partial \bar{z}^2} = 0 \quad (4)$$

Now consider both uniform and linearly varying loads along the x -axis. Hence

$$q = q_1 x + q_0 \quad (5)$$

where q_1 and q_0 are constants designating the linear and uniform components of the load respectively.

Writing (5) in terms of complex variables

$$q = q_1 \left(\frac{z + \bar{z}}{2} \right) + q_0 \quad (6)$$

Equations (6) and (3) combine to give

$$W_p = \frac{q_1}{384 D} (z^3 \bar{z}^2 + z^2 \bar{z}^3) + \frac{q_0}{64 D} z^2 \bar{z}^2 \quad (7)$$

The solution to (4) for W_c real is

$$W_c = \bar{z} \psi(z) + z \bar{\psi}(\bar{z}) + X(z) + \bar{X}(\bar{z}) \quad (8)$$

Where ψ and X are arbitrary complex potentials which are not unique since one can replace ψ and X in (8) by $\psi + a + ib + icz$ and $X - (a - ib)z + id$ respectively without any change to W_c .

Now arbitrarily choose to set

$$\psi(0) = 0$$

$$I \{ \psi(0) \} = 0 \quad (9)$$

$$I \{ X(0) \} = 0$$

Where $I \{ \}$ is read "imaginary part of $\{ \}$ ". This makes potentials ψ and X unique.

The problem of determining W now reduces to the problem of determining ψ and X from the boundary conditions. For clamped plates the boundary conditions are:

$$W_{\text{boundary}} = 0 \quad (10)$$

$$\frac{\partial W}{\partial n}_{\text{boundary}} = 0 \quad (11)$$

Where n is the normal to the boundary.

If s is the arc length along the boundary then (10) is equivalent to

$$\frac{\partial W}{\partial s} = 0 \quad (12)$$

Equation (12) may be used to put (11) in a more workable form. Combining (11) and (12)

$$(\frac{\partial W}{\partial n})^2 + (\frac{\partial W}{\partial s})^2 = 0$$

or

$$(\frac{\partial W}{\partial x})^2 + (\frac{\partial W}{\partial y})^2 = 0 \quad (13)$$

Using complex variables (13) becomes

$$(\frac{\partial W}{\partial z} + \frac{\partial \bar{W}}{\partial \bar{z}})^2 - (\frac{\partial W}{\partial z} - \frac{\partial \bar{W}}{\partial \bar{z}})^2 = 0$$

or

$$\frac{\partial W}{\partial z} - \frac{\partial \bar{W}}{\partial \bar{z}} = 0 \quad (14)$$

Since $\partial W/\partial z$ and $\partial \bar{W}/\partial \bar{z}$ are complex conjugate quantities the vanishing of one implies the vanishing of the other. Therefore without loss of generality (14) can be written

$$\frac{\partial W}{\partial z} = 0 \quad (15)$$

Equation (15) now replaces (11) as a more workable form of the boundary condition.

With (7) and (8) one may now explicitly express the boundary conditions (10) and (15) in terms of ψ and X .

$$\begin{aligned} \bar{z} \psi(z) + z \bar{\psi}'(\bar{z}) + X(z) + \bar{X}'(\bar{z}) &= \\ -\frac{q_1}{384 D} (z^3 \bar{z}^2 + z^2 \bar{z}^3) + \frac{q_o}{64 D} z^2 \bar{z}^2 \end{aligned} \quad (16)$$

and

$$\begin{aligned} \psi(z) + z \bar{\psi}'(\bar{z}) + \bar{X}'(z) &= \\ -\frac{q_1}{384 D} (2z^3 \bar{z} + 3z^2 \bar{z}^2) + \frac{q_o}{32 D} z^2 \bar{z} \end{aligned} \quad (17)$$

Where z, \bar{z} are on the boundary of the plate and the prime denotes differentiation with respect to the argument of the function.

By introducing the conformal mapping of the unit circle onto the given plate shape, $z = \omega(\xi)$, the boundary conditions (16) and (17) can be somewhat simplified. See Fig. 1, page 3.

Using the conformal mapping

$$\psi(z) = \psi(\omega(\xi)) = \psi_1(\xi) \quad (18)$$

$$X(z) = X(\omega(\xi)) = X_1(\xi) \quad (19)$$

Also

$$\psi'(z) = \frac{\partial \psi_1(\xi)}{\partial \xi} \frac{\partial \xi}{\partial z} = \frac{\psi'_1(\xi)}{\omega'(\xi)} \quad (20)$$

$$\text{Let } \bar{X}'(\bar{z}) = \bar{\phi}(\bar{\omega}(\bar{\xi})) = \bar{\phi}_1(\bar{\xi}) \quad (21)$$

The boundary of the unit circle corresponds to the boundary of the given plate. From Fig. 1 for the boundary of the unit circle

$$\xi = e^{i\theta} = \sigma \quad (22)$$

and

$$\bar{\xi} = e^{-i\theta} = \frac{1}{\sigma} \quad (23)$$

Or for the plate boundary

$$z = \omega(\xi) = \omega(\sigma) \quad (24)$$

$$\bar{z} = \bar{\omega}(\bar{\xi}) = \bar{\omega}(1/\sigma) \quad (25)$$

Substituting (24) and (25) into the right sides of (16) and (17) one obtains known functions, $H(\sigma)$ and $F(\sigma)$, of σ . Using the above notation and (18) - (21), (24) and (25) the boundary conditions (16) and (17) take on the form

$$\bar{\omega}(1/\sigma) \psi_1(\sigma) + \omega(\sigma) \bar{\psi}'_1(1/\sigma) + X_1(\sigma) + \bar{x}_1(1/\sigma) = H(\sigma) \quad (26)$$

and

$$\psi_1(\sigma) + \frac{\omega(\sigma)}{\bar{\omega}(1/\sigma)} \bar{\psi}'_1(1/\sigma) + \bar{\phi}_1(1/\sigma) = F(\sigma) \quad (27)$$

Assume that the conformal mapping is representable as a polynomial in ξ . Then

$$z = \omega(\xi) = \sum_{n=1}^N c_n \xi^n \quad (28)$$

For the plate shapes under consideration the c_n are all real.

$$\bar{z} = \bar{\omega}(\xi) = \sum_{n=1}^N \bar{c}_n \bar{\xi}^n = \sum_{n=1}^N c_n \bar{\xi}^n \quad (29)$$

The conditions (9) correspond to

$$\left. \begin{array}{l} \psi_1(0) = 0 \\ I \left\{ \psi_1'(0) \right\} = 0 \\ I \left\{ X_1(0) \right\} = 0 \end{array} \right\} \quad (30)$$

The functions ψ_1 and X_1 are analytic and single valued in the unit circle therefore, with the condition, $\psi_1(0) = 0$ from (30)

$$\psi_1(\xi) = \sum_{n=1}^{\infty} a_n \xi^n \quad (31)$$

$$X_1(\xi) = \sum_{n=0}^{\infty} b_n \xi^n \quad (32)$$

and

$$\phi_1(\xi) = \sum_{n=0}^{\infty} e_n \xi^n \quad (33)$$

For the plate problems the c_n are real and the coefficients a_n , b_n and e_n are also real.

Furthermore write the known functions $F(\sigma)$ and $H(\sigma)$ in the form

$$F(\sigma) = \sum_{n=-\infty}^{\infty} A_n \sigma^n \quad (34)$$

$$H(\sigma) = \sum_{n=-\infty}^{\infty} B_n \sigma^n \quad (35)$$

Also

$$\frac{\omega(\sigma)}{\bar{\omega}(1/\sigma)} = \sum_{n=1}^N g_n \sigma^n + \sum_{n=0}^{-\infty} g_n \sigma^n \quad (36)$$

Since the c_n are given the A_n , B_n and g_n are completely known.

The determination of the a_n and b_n determine $\psi_1(\xi)$ and $X_1(\xi)$ respectively which in turn completely determine the deflection.

To determine the a_n substitute (34) and (36) into (27) using (31), (33), and remember that on the boundary (22) and (23) apply. There results

$$\sum_{n=1}^{\infty} a_n \sigma^n + \left(\sum_{n=1}^N g_n \sigma^n + \sum_{n=0}^{-\infty} g_n \sigma^n \right) \sum_{n=1}^{\infty} n a_n \sigma^{-(n-1)} + \sum_{n=0}^{\infty} e_n \sigma^{-n} = \sum_{n=-\infty}^{\infty} A_n \sigma^n \quad (37a)$$

Equating coefficients of positive powers of σ results in the following system of linear algebraic equations for the a_n values.

$$\left[\begin{array}{cccccc|c} 1 + g_1 & 2g_2 & 3g_3 & & Ng_N & a_1 \\ g_2 & 1 + 2g_3 & 3g_4 & (N-1)g_N & 0 & a_2 \\ & | & | & & 0 & 0 \\ & | & | & & 0 & 0 \\ & | & | & & 1 & 0 & 0 & 0 \\ g_{N-2} & 3g_N & 0 & 0 & 1 & 0 & 0 & 0 \\ g_{N-1} & 2g_N & 0 & 0 & 0 & 1 & 0 & 0 \\ g_N & 0 & 0 & 0 & 0 & 0 & 1 & 1 \end{array} \right] = \left[\begin{array}{c} A_1 \\ A_2 \\ \vdots \\ A_N \end{array} \right] \quad (37b)$$

Also

$$a_n = A_n \quad \text{For } n \geq N+1 \quad (38)$$

Now to determine the b_n compute

$$\bar{\omega}(1/\sigma) \psi_1(\sigma) = \left(\sum_{n=1}^N c_n \sigma^{-n} \right) \left(\sum_{n=1}^{\infty} a_n \sigma^n \right) = \sum_{n=-N+1}^{\infty} K_n \sigma^n \quad (39)$$

The K_n are known since the c_n are given and by (37b) and (38) the a_n are now known. Substituting (39), (35) and (32) into (26)

$$\sum_{n=0}^{\infty} b_n \sigma^n + \sum_{n=0}^{-\infty} b_n \sigma^n = \sum_{n=-\infty}^{\infty} B_n \sigma^n - \sum_{n=-N+1}^{\infty} K_n \sigma^n - \sum_{n=-N+1}^{\infty} K_n \sigma^{-n} \quad (40)$$

Equating coefficients of equal positive powers of σ one obtains

$$2b_0 = B_0 - 2K_0$$

$$b_n = B_n - K_n + K_{-n} \quad (1 \leq n \leq N-1) \quad (41)$$

$$b_n = B_n - K_n \quad (n \geq N)$$

The deflection of the plate can now be written using (7), (8), (28), (31), (32) and (35)

$$\begin{aligned} W &= W_c + W_p \\ &= \bar{\omega}(\bar{\xi}) \psi_1(\xi) + \omega(\xi) \bar{\psi}_1(\bar{\xi}) + X_1(\xi) + \bar{X}_1(\bar{\xi}) + H(\xi) \\ &= \left(\sum_{n=1}^N c_n \bar{\xi}^n \right) \left(\sum_{n=1}^{3N-1} a_n \xi^n \right) + \left(\sum_{n=1}^N c_n \xi^n \right) \left(\sum_{n=1}^{3N-1} a_n \bar{\xi}^n \right) \\ &\quad + \sum_{n=0}^{4N-1} b_n \xi^n + \sum_{n=0}^{4N-1} b_n \bar{\xi}^n + \sum_{n=-3N+2}^{3N-2} B_n \sigma^n \end{aligned} \quad (42)$$

The solution is now complete.

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COMPUTER PROGRAM COMMENTS

A computer program, written in Fortran IV language, was devised to read in the coefficients, the c_n of (28), of the conformal mapping of the unit circle onto the plate shape desired along with the values q_0 , the uniform loading coefficient; q_1 , the linear loading coefficient; and D the flexural rigidity of the plate. The program then sets up and solves (37), (38) and (41). Using these results the program evaluates (42) for the deflections of various points on the plate.

In [5] the conformal maps for shapes of the form

$$\left| \frac{x}{a} \right|^{\alpha} + \left| \frac{y}{b} \right|^{\beta} = 1 \quad (43)$$

were determined. The present program is constructed to use those conformal maps. Because (43) is symmetric about both the x and y axes the c_n of (28) are all real; in addition all the c_n where n is even are zero. Since the even coefficients are automatically zero the program reads in only the odd coefficients; the even coefficients are internally set to zero. In order to save computer time, attention was restricted to forms whose conformal maps had 99 or less terms (i.e., $c_n = 0, n \geq 100$). For the class of shapes under investigation this means conformal maps with 50 or less odd coefficients. For plate shapes requiring more than 100 coefficients, the program can easily be altered by reading in a variable corresponding to the number of coefficients to be used and placing variable limits on the program's do-loops. See Table 1 for complete input instructions.

By the symmetry of the plate and its loading the deflections are symmetric about the x axis, hence only the deflections of an array of points covering the upper half of the plate are printed out.

The following program listing is essentially self-explanatory since the program closely follows the development and symbolism of Part I of the text.

Table 1

Data Cards

Data Card No.	Input Variables	Format
1	b/a of Equation (43)	(12x, 6F9.4)
2	Alpha	(12x, 6F9.4)
3	Beta	(12x, 6F9.4)
4-53	First 50 odd c_n of Equation (28)	(5x, I3, 4x, 6F9.4)
54-159	Two sets of cards similar to 1-53	
160-197	q_1, q_0, D, k q_1 = linear coefficient of load q_0 = uniform coefficient of load D = flexural rigidity of plate k = case number corresponding to different plate shapes Thirty-six different load-plate combina- tions were used	(3F15.5, I3)

COMPUTER PROGRAM LISTING

```

C
C      THIS PROGRAM DETERMINES THE DEFLECTION OF LINEARLY LOADED
C      'CLAMPED' PLATES USING 'CONFORMAL' MAPPING. PLATE SHAPE IS
C      OF THE FORM X/A **ALPHA + Y/B **BETA = 1. FOR THE APPROPRIATE
C      CONFORMAL MAPS SEE MORIATY, THOMAS F. AND WORLEY, WILL J. THE
C      CONFORMAL MAPPING OF THE INTERIOR OF THE UNIT CIRCLE ONTO THE
C      INTERIOR OF A CLASS OF SMOOTH CURVES NASA CR-1357 NATIONAL
C      AERONAUTICS AND SPACE ADMINISTRATION - WASHINGTON, D.C. MAY 1969
C
0002      DIMENSION BOA(18),ALPHA(18),BETA(18),CN(18,99)
0003      DIMENSION DFS(198),D1FS(397),FS(397)
0004      DIMENSION D2FS(397),D3FS(198)
0005      DIMENSION D4FS(397),D5FS(397)
0006      DIMENSION HS(397),DCN(99)
0007      DIMENSION WDW(99),PHI(397)
0008      DIMENSION WPHI(496),PS(496)
0009      DIMENSION RCN(99),DPHI(99,99)
0010      DIMENSION RS(99),PHD(99)
0011      DIMENSION DPHD(99,99)
0012      DIMENSION XBA(3),XALPH(3),XBETA(3)
0013      DIMENSION XQ1(3),XQ0(3),XD(3),XCD(3)
0014      DIMENSION XW(65,3),XX(65,3),XY(65,3)
0015      COMMON DPHD
C          READ IN GEOMETRIC PARAMETERS B/A,ALPHA, BETA
C          WHERE (X/A) ** ALPHA + (Y/B) ** BETA = 1
0016      DO 10 IC=1,13,6
0017      ID      =IC+5
0018      READ(5,1000) (BOA(IE),IE=IC,ID)
0019      1000 FORMAT (12X,6F9.4)
0020      READ(5,1000) (ALPHA(IE),IE=IC,ID)
0021      READ(5,1000) (BETA(IE),IE=IC,ID)
0022      DO 10 IG=1,50
C          READ IN CONFORMAL MAPPING COEFFICIENTS CN( )
0023      READ(5,1005) N,(CN(IE,N),IE=IC,ID)
0024      1005 FORMAT (5X,I3,4X,6F9.4)
0025      10 CONTINUE
0026      INDEX   =0
0027      15 B01   =0.0
0028      BD2    =0.0
0029      B03    =0.0
0030      W      =0.0
0031      INDEX   =INDEX+1
C          READ IN
C          Q1 = LINEAR LOAD COEFFICIENT
C          Q0 = UNIFORM LOAD COEFFICIENT
C          D  = FLEXURAL RIGIDITY OF PLATE
C          K  = CONFORMAL MAPPING CASE NUMBER
0032      READ(5,1010,END=265) Q1,Q0,D,K
0033      1010 FORMAT (3F15.5,I3)
0034      A      =1.0
0035      DO 20 I =1,99,2
0036      20 CN(I,I) =A*CN(K,I)
0037      DO 25 I =2,98,2
0038      CN(I,I) =0.0
0039      DCN(I)  =0.0
0040      25 RCN(I) =0.0
0041      DO 30 I =1,198
0042      30 DFS(I) =0.0
C          SET UP OF Z**2
C          DFS(I) = COEFFICIENTS IN SERIES REPRESENTING Z**2
0043      DO 35 I =1,99,2
0044      DO 35 J =1,99,2
0045      L      =I+J
0046      35 DFS(L) =DFS(L)+CN(K,I)*CN(K,J)
C          SET UP OF Z**3
C          DIFS(I) = COEFFICIENTS IN SERIES REPRESENTING Z**3
0047      DO 40 I =1,397
0048      DIFS(I) =0.0
0049      D2FS(I) =0.0
0050      D4FS(I) =0.0
0051      40 WPHI(I) =0.0

```

```

0052      DO 45 I =398,496
0053 45 WPHI(I) =0.0
0054  DO 50 I =1,198
0055  DO 50 J =1,99,2
0056  L   =I+J
0057 50 D1FS(L) =D1FS(L)+DFS(I)*CN(K,J)
C      SET UP OF (Z**3)(ZBAR)
C      D2FS(I) = COEFFICIENTS IN SERIES REPRESENTING (Z**3)(ZBAR)
0058  DO 60 I =1,397
0059  DO 55 J =1,99,2
0060  M   =I-J
0061  IF (M)60,60,55
0062 55 D2FS(M) =D2FS(I)+D1FS(I)*CN(K,J)
0063 60 CONTINUE
C      SET UP OF (Z**2)(ZBAR)
C      D1FS(I) = COEFFICIENTS IN SERIES REPRESENTING (Z**2)(ZBAR)
0064  DO 65 I =1,198
0065  D1FS(I) =0.0
0066  D5FS(I) =0.0
0067 65 D3FS(I) =0.0
0068  DO 70 I =199,397
0069 70 D5FS(I) =0.0
0070  DO 80 I =1,198
0071  DO 75 J =1,99,2
0072  M   =I-J
0073  IF (M)80,80,75
0074 75 D1FS(M) =D1FS(I)+DFS(I)*CN(K,J)
0075 80 CONTINUE
C      SET UP OF (Z**2)(ZBAR**2)
C      D3FS(I) = COEFFICIENTS IN SERIES REPRESENTING (Z**2)(ZBAR**2)
C      B03 = THE CONSTANT TERM IN THIS SERIES
0076  DO 95 I =1,198
0077  DO 90 J =1,99,2
0078  M   =I-J
0079  IF (M)95,85,90
0080 85 B03 =B03+D1FS(I)*CN(K,I)
0081  GO TO 95
0082 90 D3FS(M) =D3FS(M)+D1FS(I)*CN(K,J)
0083 95 CONTINUE
C      SET UP OF F(SIGMA)
C      SEE EQUATIONS(17) AND (34) IN TEXT
C      FS(I) = COEFFICIENTS IN SERIES REPRESENTING F(SIGMA)
0084 01   =-Q1/(192.*D)
0085 02   =-Q1/(128.*D)
0086 03   =-Q0/(32.*D)
0087  DO 100 I=1,198
0088 100 FS(I) =D1*D2FS(I)+D2*D3FS(I)+D3*D1FS(I)
0089  DO 105 I=199,397
0090 105 FS(I) =D1*D2FS(I)
C      SET UP OF (Z**3)(ZBAR**2)
C      D4FS(I) = COEFFICIENTS IN SERIES REPRESENTING(Z**3)(ZBAR**2)
C      B01 = CONSTANT TERM IN THIS SERIES
0091  DO 120 I=1,397
0092  DO 115 J=1,99,2
0093  M   =I-J
0094  IF (M)120,110,115
0095 110 B01 =B01+D2FS(I)*CN(K,I)
0096  GO TO 120
0097 115 D4FS(M) =D4FS(M)+D2FS(I)*CN(K,J)
0098 120 CONTINUE
C      SET UP OF (Z**2)(ZBAR**3)
C      D5FS(I) = COEFFICIENTS IN SERIES REPRESENTING (Z**2)(ZBAR**3)
C      B02 = CONSTANT TERM IN THIS SERIES
0099  DO 135 I=1,198
0100  DO 130 J=1,99,2
0101  M   =I-J
0102  IF (M)135,125,130
0103 125 B02 =B02+D3FS(I)*CN(K,I)
0104  GO TO 135
0105 130 D5FS(M) =D5FS(M)+D3FS(I)*CN(K,J)
0106 135 CONTINUE

```

```

C      SET UP OF H(SIGMA)
C      SEE EQUATIONS(16) AND (35) IN TEXT
C      HS(I) = COEFFICIENTS IN SERIES REPRESENTING H(SIGMA)
0107    D1      ==Q1/(384.*D)
0108    D2      ==Q0/(64.*D)
0109    DO 140 I=L,198
0110    140 HS(I) =D1*(D4FS(I)+D5FS(I))+D2*D3FS(I)
0111    DO 145 I=199,397
0112    145 HS(I) =D1*D4FS(I)
C      SET UP OF (OMEGA(SIGMA))/(OMEGABAR*(1/SIGMA))
C      SEE EQUATION (36) IN TEXT
C      WDW(I) = COEFFICIENTS OF SERIES REPRESENTING
C      (OMEGA(SIGMA))/(OMEGABAR*(1/SIGMA))
0113    DO 150 I=1,99,2
0114    E      =I
0115    150 DCN(I) =E*CN(K,I)
0116    DO 155 I=1,99,2
0117    M      =100-I
0118    155 RCN(M) =CN(K,I)
0119    DO 170 I=1,99,2
0120    L      =100-I
0121    WOW(L) =RCN(I)/DCN(1)
0122    NM      =I+2
0123    IF (I01-NM)170,170,160
0124    160 DO 165 J=NM,99,2
0125    KK      =J-I+1
0126    165 RCN(J) =RCN(J)-WDW(L)*DCN(KK)
0127    170 CONTINUE
0128    DO 175 I=2,98,2
0129    175 WDW(I) =0.0
C      PARTIAL SOLUTION FOR PSI OF TEXT CORRESPONDING TO EQUATIONS(38)
C      OF TEXT.
C      PHI(I) = COEFFICIENTS IN SERIES REPRESENTING PSI
0130    DO 180 I=100,399
0131    180 PHI(I) =FS(I)
0132    DO 185 I=1,99
0133    DO 185 J=1,99
0134    185 DPHI(I,J)=0.0
C      SET UP AND SOLUTION FOR REST OF SERIES MAKING UP PSI OF TEXT.
C      THIS CORRESPONDS TO SET UP AND SOLUTION OF EQUATIONS (37) OF
C      TEXT
0135    DO 190 I=1,99
0136    DO 190 J=I,99
0137    A      =I
0138    KK      =I-J+99
0139    DPHI(J,I)=A*WDW(KK)
0140    190 CONTINUE
0141    DO 195 I=1,99
0142    L      =100-I
0143    DPHI(I,L)=DPHI(I,L)+1.0
0144    195 RS(I) =FS(L)
0145    DO 200 I=1,99
0146    DO 200 J=1,99
0147    200 DPHI(I,J)= DPHI(I,J)
0148    DO 205 I= 1,99
0149    205 PHD(I) = RS(I)
0150    N      = 99
0151    M      = 1
0152    CALL SIMEQ(PHD,N,M,DET)
0153    CALL UNDERZ('OFF')
C      SET UP AND SOLUTION FOR SERIES REPRESENTING CHI OF TEXT. THIS
C      CORRESPONDS TO SET UP AND SOLUTION OF EQUATIONS(41) OF TEXT.
C      PSI(I) = COEFFICIENTS OF THE SERIES REPRESENTING CHI.
0154    DO 210 I=1,99
0155    210 PHI(I)=PHD(I)
0156    DO 215 I=1,357
0157    DO 215 J=1,99,2
0158    M      =100+I-J
0159    215 WPHI(M) =WPHI(M)+PHI(I)*CN(K,J)
0160    B04      ==-C1*(B01+B02)/(384.*D)-Q0*(B03)/(64.*D)
C      WC = CENTER DEFLECTION OF PLATE

```

```

0161      WC      =804-WPHI(100)*2.
0162      DO 220 I=1,98
0163      M      =100-I
0164      220 PSI(I) =HS(I)-WPHI(I+100)-WPHI(M)
0165      DO 225 I=99,396
0166      225 PSI(I) =HS(I)-WPHI(I+100)
0167      W      =0.0
0168      KL      =0
C      THE REST OF THE PROGRAM SETS UP AN ARRAY OF POINTS IN THE
C      IMAGE PLANE AND DETERMINES THE DEFLECTION FOR THESE POINTS.
C      THIS CORRESPONDS TO EVALUATION OF EQUATION (42) OF TEXT
0169      DO 255 I=2,10,2
0170      DO 250 J=1,13
0171      KL      =KL+1
0172      FI      =I
C      R = RADIAL COORDINATE OF POINT IN THE IMAGE PLANE.
0173      R      =FI/10.
0174      FJ      =J - 1
0175      T      =FJ/6.
C      T = ANGLE IN RADIANS FROM POSITIVE ABSCESSA IN IMAGE PLANE.
0176      T      =1.57079633E0*T
0177      DUM    =R
0178      WRC    =0.0
0179      WIC    =0.0
0180      DO 230 N=1,99,2
0181      A      =N
0182      WRC    =WRC+CN(K,N)*DUM*COS(A*T)
0183      WIC    =WIC-CN(K,N)*DUM*SIN(A*T)
0184      230 DUM    =DUM*R*R
0185      DUM    =R
0186      PHIR   =0.0
0187      PHI   =0.0
0188      DO 235 N=1,397
0189      A      =N
0190      PHIR   =PHIR+PHI(N)*DUM*COS(A*T)
0191      PHI   =PHI+PHI(N)*DUM*SIN(A*T)
0192      235 DUM    =DUM*R
0193      W      =(WRC*PHIR-WIC*PHI)
0194      DUM    =R
0195      DO 240 KK=1,396
0196      FK     =KK
0197      W      =W+PSI(KK)*COS(FK*T)*DUM
0198      240 DUM    =DUM*R
C      W = DEFLECTION OF POINT.
0199      W      =2.0*W+WC
0200      X      =0.0
0201      Y      =0.0
0202      DUM    =R
0203      DO 245 KK=1,99,2
0204      FK     =KK
C      (X,Y) = COORDINATES OF POINT IN REAL PLANE.
0205      X      =X+DUM*CN(K,KK)*COS(FK*T)
0206      Y      =Y+DUM*CN(K,KK)*SIN(FK*T)
0207      245 DUM    =DUM*(R**2)
0208      RAD    =SQRT(X**2+Y**2)
0209      W      =W+(Q1*X/(192.*D)+Q0/(64.*D))*RAD**4
0210      THETA  =(180./3.14159265E0)*T
C      THIS SECTION STORES DEFLECTIONS, COORDINATES, AND PLATE
C      SHAPE COORDINATES WHICH ARE TO BE OUTPUTTED THREE PER PAGE
0211      XW(KL,INDEX)=W
0212      XX(KL,INDEX)=X
0213      XY(KL,INDEX)=Y
0214      250 W      =0.0
0215      255 CONTINUE -
0216      XBA(INDEX)=BA(K)
0217      XALPH(INDEX)=ALPHA(K)
0218      XBETA(INDEX)=BETA(K)
0219      XQ1(INDEX)=Q1
0220      XQ0(INDEX)=Q0
0221      XD(INDEX)=D
0222      XC0(TNDFX)=WC.

```

```

0223      IF(INDEX-2)15,15,260
0224      260 CALL OUTPUT(XBA,XALPH,XBETA,XQ1,XQ0,XCD,XW,XX,XY)
0225      INDEX =0
0226      GO TO 15
0227      265 STOP
0228      END

```

```

0002      SUBROUTINE SIMEQ(B,N,M,DET)
C
C      THIS IS A STANDARD PACKAGE FOR SOLVING A SET OF N SIMULTANEOUS
C      LINEAR EQUATIONS
C
0003      DIMENSION A(99,99),B(99,1)
0004      DIMENSION IP(99),PI(99)
0005      DIMENSION IN(99,2)
0006      COMMON A
0007      DET =1.0
0008      DO 10 J =1,N
0009      10 IP(J) =0
0010      DO 110 I=1,N
0011      AM =0.0
0012      DO 35 J =1,N
0013      IF(IP(J)-1)15,35,15
0014      15 DO 30K =1,N
0015      IF(IP(K)-1)20,30,140
0016      20 IF( ABS( AM)- ABS( A(J,K)))25,25,30
0017      25 IR =J
0018      IC =K
0019      AM =A(J,K)
0020      30 CONTINUE
0021      35 CONTINUE
0022      IP(IC) =IP(IC)+1
0023      IF(IR-IC)40,60,40
0024      40 DET ==DET
0025      DO 45 L =1,N
0026      SW =A(IR,L)
0027      A(IR,L) =A(IC,L)
0028      45 A(IC,L) =SW
0029      IF(M)60,60,50
0030      50 DO 55 L =1,M
0031      SW =B(IR,L)
0032      B(IR,L) =B(IC,L)
0033      55 B(IC,L) =SW
0034      60 IN(I,1) =IR
0035      IN(I,2) =IC
0036      PI(I) =A(IC,IC)
0037      IF(PI(I))65,135,65
0038      65 A(IC,IC)=1.0
0039      DO 70 L =1,N
0040      70 A(IC,L) =A(IC,L)/PI(I)
0041      IF(M)85,85,75
0042      75 DO 80 L =1,M
0043      80 B(IC,L) =B(IC,L)/PI(I)
0044      DO 110 L1=1,N
0045      IF(L1-IC)90,110,90
0046      90 T =A(L1,IC)
0047      A(L1,IC)=0.0
0048      DO 95 L =1,N
0049      95 A(L1,L) =A(L1,L)-A(IC,L)*T
0050      IF(M)110,110,100
0051      100 DO 105 L=1,M
0052      105 B(L1,L) =B(L1,L)-B(IC,L)*T
0053      110 CONTINUE

```

```

0054      115 DD 130 I=1,N
0055      L      =N+1-I
0056      IF(IN(L,1)-IN(L,2))120,130,120
0057 120  JR      =IN(L,1)
0058      JC      =IN(L,2)
0059      DO 125 K=1,N
0060      SW      =A(K,JR)
0061      A(K,JC) =A(K,JC)
0062      A(K,JC) =SW
0063      125 CONTINUE
0064      130 CONTINUE
0065      RETURN
0066      135 WRITE (6,1000)
0067 1000 FORMAT(' MATRIX IS SINGULAR')
0068      140 RETURN
0069      END

```

END OF COMPILETION *****

```

0002      SUBROUTINE OUTPUT(XBA,ALPHA,BETA,XLL,XUL,C0,W,X,Y)
C
C      THIS PACKAGE OUTPUTS THE DEFLECTIONS
C
0003      DIMENSION XBA(3),ALPHA(3),BETA(3),XLL(3),XUL(3),CD(3)
0004      DIMENSION W(65,3),Y(65,3),X(65,3),NOUT(10,10)
0005      WRITE (6,1000)
0006 1000 FORMAT ('1')
0007      REWIND 9
0008      WRITE(8,1005) (XBA(N),ALPHA(N),BETA(N),N=1,3)
0009 1005 FORMAT(9F10.3)
0010      REWIND 8
0011      READ(9,1C10)((NOUT(I,J),J=1,8),I=1,9)
0012 1010 FORMAT(9(A1,1X,4A1,1X,3A1))
0013      WRITE(6,1015)((NOUT(I,J),J=1,8),I=1,9)
0014 1015 FORMAT(' ',3(3(8A1,3X),2X))
0015      REWIND 8
0016      WRITE(8,1020) (XLL(N),XUL(N),N=1,3)
0017 1020 FORMAT(6E10.3)
0018      REWIND 8
0019      READ(8,1025)((NOUT(I,J),J=1,8),I=1,6)
0020 1025 FORMAT(6(A1,1X,4A1,1X,3A1))
0021      WRITE(6,1030)((NOUT(I,J),J=1,8),I=1,6)
0022 1030 FORMAT(' ',3(2(8A1,3X),13X))
0023      WRITE(6,1035)
0024 1035 FORMAT(' ',///)
0025      REWIND 8
0026      WRITE(8,1040) (CD(N),N=1,3)
0027 1040 FORMAT (3F12.5)
0028      REWIND 8
0029      READ(8,1045)((NOUT(I,J),J=1,10),I=1,3)
0030 1045 FORMAT(3(A1,1X,6A1,1X,3A1))
0031      WRITE(6,1050)((NOUT(I,J),J=1,10),I=1,3)
0032 1050 FORMAT(' ',3(10A1,1X,' .0',8X,' .0',10X))
0033      DD 15 N=1,65
0034      REWIND 8
0035      25 WRITE(8,1055) (W(N,I),X(N,I),Y(N,I),I=1,3)
0036 1055 FORMAT(9E12.5)
0037      REWIND 8
0038      READ(8,1060)((NCUT(I,1),J=1,10),I=1,9)
0039 1060 FORMAT(9(A1,1X,6A1,1X,3A1))
0040      WRITE(6,1065)((NOUT(I,J),J=1,10),I=1,9)
0041 1065 FORMAT(' ',3(3(10A1,1X),2X))
0042      15 CONTINUE
0043      20 RETURN
0044      END

```

END OF COMPILETION *****

TABULATED RESULTS

1. Plate Shapes

Eighteen representative plate shapes were selected by letting b/a take on the values 0.5, 1.0, and 2.0 and the following combinations of a and β :

a	β
1.6	1.6
2.0	2.0
3.0	3.0
5.0	5.0
10.0	10.0
1.6	10.0

2. Plate Loadings

Two loads were applied to each of the above plates, a "uniform load" and a "linear load". These are defined as follows:

$$\text{Uniform Load: } q_0 = 1.0 \quad q_1 = 0.0$$

$$\text{Linear Load: } q_0 = 1.0 \quad q_1 = 4.0$$

where the total load in each case is $q = q_1 x + q_0$. The flexural rigidity, D , is set equal to unity for all loadings.

3. Floating Point Notation

With the exception of the values of a , β , and b/a , the tabulated values are in floating point notation as follows:

$$.12315\ 02 = 12.315$$

$$.12315\ 00 = .12315$$

$$-.12315\ -01 = -0.012315$$

4. Output Sequence

For each of the plate shape-loadings combinations, the deflection of sixty-six points is tabulated. In the complex plane these points are ordered as follows:

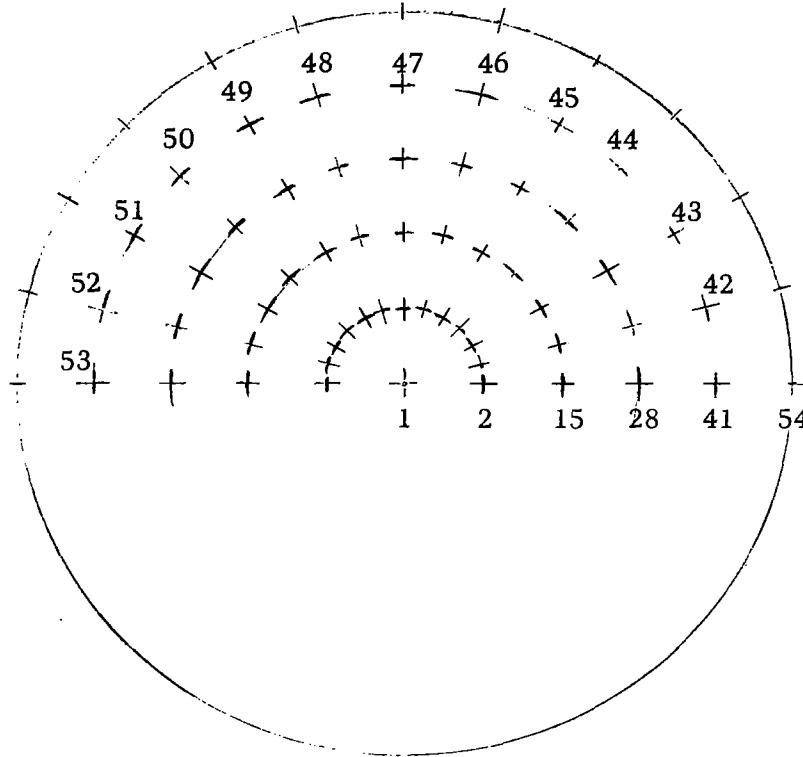


Fig. 2

The ordering in the real plane is determined by the conformal mapping $\omega(\xi)$.

Deflections, w , at $X = x/a$ and $Y = y/a$ for a given plate are computed from $w = \frac{a^4}{D} (\text{DEF}_u) (q_u - \frac{a}{4.0} q_\ell) + (\text{DEF}_\ell) (\frac{a}{4.0} q_\ell)$ where a is the half-length in the x direction, D is the flexural rigidity $Eh^3/12(1 - \nu^2)$, $q_\ell x + q_u$ is the plate loading, and DEF_u and DEF_ℓ are read from the table's "uniform" and "linear load" pages respectively.

UNIFORM LOAD

 $a=1.60$ $\beta=1.60$

b/a=0.50			b/a=1.00			b/a=2.00		
DEF	X	Y	DEF	X	Y	DEF	X	Y
.18201-02	.0	.0	.12467-01	.0	.0	.29093-01	.0	.0
.17508-02	.11801 00	.0	.11491-01	.18933 00	.0	.25961-01	.23185 00	.0
.17414-02	.11371 00	.31019-01	.11489-01	.18287 00	.49011-01	.26084-01	.22445 00	.59116-01
.17166-02	.10127 00	.59517-01	.11486-01	.16395 00	.94666-01	.26428-01	.20249 00	.11490 00
.16842-02	.81962-01	.83414-01	.11485-01	.13386 00	.13386 00	.26919-01	.16678 00	.16388 00
.16534-02	.57464-01	.10127 00	.11486-01	.94666-01	.16395 00	.27437-01	.11900 00	.20249 00
.16319-02	.29565-01	.11225 00	.11489-01	.49011-01	.18287 00	.27834-01	.62021-01	.22735 00
.16242-02	.37350-07	.11595 00	.11491-01	.62057-07	.18933 00	.27984-01	.78722-07	.23596 00
.16319-02	-.29565-01	.11225 00	.11489-01	-.49010-01	.18287 00	.27834-01	-.62020-01	.22735 00
.16534-02	-.57463-01	.10127 00	.11486-01	-.94665-01	.16395 00	.27437-01	-.11900 00	.20249 00
.16842-02	-.81962-01	.83414-01	.11485-01	-.13386 00	.13386 00	.26919-01	-.16678 00	.16388 00
.17166-02	-.10127 00	.59518-01	.11486-01	-.16395 00	.94666-01	.26428-01	-.20249 00	.11490 00
.17414-02	-.11371 00	.31019-01	.11489-01	-.18287 00	.49011-01	.26084-01	-.22445 00	.59116-01
.17508-02	-.11801 00	.78700-07	.11491-01	-.18933 00	.12411-06	.25961-01	-.23185 00	.14945-06
.15401-02	.24289 00	.0	.88256-02	.37901 00	.0	.18146-01	.45254 00	.0
.14999-02	.23191 00	.67077-01	.88085-02	.36583 00	.98356-01	.18438-01	.44055 00	.11064 00
.14033-02	.20194 00	.12548 00	.87749-02	.32759 00	.18950 00	.19308-01	.40399 00	.21817 00
.12955-02	.15917 00	.17070 00	.87584-02	.26748 00	.26748 00	.20708-01	.34130 00	.31826 00
.12080-02	.10911 00	.20205 00	.87749-02	.18950 00	.32759 00	.22429-01	.25088 00	.40377 00
.11535-02	.55330-01	.22033 00	.88085-02	.98356-01	.36583 00	.23971-01	.13411 00	.46370 00
.11352-02	.69526-07	.22632 00	.88256-02	.12467-06	.37901 00	.24613-01	.17192-06	.48564 00
.11535-02	-.55330-01	.22033 00	.88085-02	-.98355-01	.36583 00	.23971-01	-.13411 00	.46370 00
.12080-02	-.10911 00	.20205 00	.87749-02	-.18950 00	.32759 00	.22429-01	-.25088 00	.40377 00
.12955-02	-.15917 00	.17070 00	.87584-02	-.26748 00	.26748 00	.20708-01	-.34130 00	.31826 00
.14033-02	-.20194 00	.12548 00	.87749-02	-.32759 00	.18950 00	.19308-01	-.40399 00	.21817 00
.14999-02	-.23191 00	.67078-01	.88085-02	-.36583 00	.98357-01	.18438-01	-.44055 00	.11064 00
.15401-02	-.24289 00	.17224-06	.88256-02	-.37901 00	.24935-06	.18146-01	-.45254 00	.27768-06
.11778-02	.38526 00	.0	.52030-02	.57084 00	.0	.91961-02	.65468 00	.0
.10781-02	.35929 00	.11668 00	.51484-02	.54926 00	.14976 00	.94526-02	.64143 00	.15055 00
.89265-03	.29852 00	.20490 00	.50501-02	.48945 00	.28529 00	.10281-01	.60049 00	.30114 00
.74052-03	.22577 00	.26352 00	.50054-02	.39969 00	.39969 00	.11837-01	.52690 00	.45146 00
.64318-03	.15060 00	.30032 00	.50501-02	.28529 00	.48945 00	.14266-01	.40966 00	.59691 00
.59132-03	.75289-01	.32079 00	.51484-02	.14976 00	.54926 00	.17227-01	.23326 00	.71837 00
.57527-03	.93748-07	.32742 00	.52030-02	.19090-06	.57084 00	.18817-01	.30993-06	.77027 00
.59132-03	-.75288-01	.32079 00	.51484-02	-.14975 00	.54926 00	.17227-01	-.23326 00	.71837 00
.64318-03	-.15060 00	.30032 00	.50501-02	-.28529 00	.48945 00	.14266-01	-.40966 00	.59691 00
.74052-03	-.22577 00	.26352 00	.50054-02	-.39969 00	.39969 00	.11837-01	-.52690 00	.45146 00
.89265-03	-.29852 00	.20490 00	.50501-02	-.48945 00	.28529 00	.10281-01	.60049 00	.30114 00
.10781-02	-.35929 00	.11668 00	.51484-02	-.54926 00	.14976 00	.94526-02	-.64143 00	.15055 00
.11778-02	-.38526 00	.31950-06	.52030-02	-.57084 00	.38222-06	.91961-02	-.65468 00	.36113-06
.64164-03	.57087 00	.0	.17255-02	.77045 00	.0	.24722-02	.83604 00	.0
.46947-03	.49649 00	.19876 00	.16567-02	.73351 00	.20810 00	.25565-02	.82306 00	.17938 00
.30377-03	.38113 00	.30263 00	.15613-02	.64577 00	.38346 00	.28599-02	.78518 00	.36084 00
.22022-03	.27601 00	.35920 00	.15247-02	.52787 00	.52787 00	.35208-02	.71821 00	.55194 00
.17888-03	.18045 00	.39268 00	.15613-02	.38346 00	.64577 00	.48552-02	.60505 00	.76214 00
.15990-03	.89700-01	.41162 00	.16567-02	.20810 00	.73351 00	.74990-02	.39727 00	.99268 00
.15463-03	.10964-06	.41810 00	.17255-02	.27443-06	.77045 00	.10244-01	.65767-06	.11413 01
.15991-03	-.89699-01	.41162 00	.16568-02	-.20809 00	.73351 00	.74991-02	-.39727 00	.99269 00
.17888-03	-.18045 00	.39268 00	.15614-02	-.38346 00	.64577 00	.48553-02	-.60505 00	.76215 00
.22022-03	-.27601 00	.35920 00	.15247-02	-.52787 00	.52788 00	.35208-02	-.71821 00	.55194 00
.30377-03	-.38113 00	.30263 00	.15613-02	-.64576 00	.38346 00	.28599-02	-.78518 00	.30084 00
.46947-03	-.49649 00	.19876 00	.16567-02	-.73351 00	.20810 00	.25565-02	-.82306 00	.17938 00
.64164-03	-.57087 00	.71161-06	.17255-02	-.77045 00	.55202-06	.24722-02	-.83604 00	.34954-06
.71898-06	.98600 00	.0	.21607-06	.99950 00	.0	.32410-06	.99939 00	.0
.24121-06	.61316 00	.34135 00	.19744-06	.91472 00	.28320 00	.68545-06	.98351 00	.20034 00
.78231-07	.43578 00	.41300 00	.18626-06	.79042 00	.48445 00	.10431-05	.95193 00	.39760 00
.37253-07	.30745 00	.45142 00	.20117-06	.64849 00	.64849 00	.11027-05	.90255 00	.61546 00
.23283-07	.19990 00	.47614 00	.17509-06	.48445 00	.79042 00	.17062-05	.82550 00	.87174 00
.93132-08	.10037 00	.49196 00	.18626-06	.28320 00	.91472 00	-.29802-07	.68214 00	.12265 01
.46566-09	.26093-06	.49960 00	.21607-06	.53709-06	.99950 00	.10610-04	.59119-05	.19698 01
.51223-08	-.10037 00	.49196 00	.19744-06	-.28320 00	.91472 00	-.10431-06	-.68214 00	.12265 01
.32596-07	-.19990 00	.47614 00	.18999-06	-.48445 00	.79042 00	.16019-05	-.82550 00	.87174 00
.32131-07	-.30745 00	.45142 00	.18254-06	-.64849 00	.64849 00	.12740-05	-.90255 00	.61546 00
.85682-07	-.43578 00	.41300 00	.18254-06	-.79042 00	.48445 00	.12964-05	-.95193 00	.39960 00
.22165-06	-.61316 00	.34135 00	.19744-06	-.91472 00	.28320 00	.64820-06	-.98351 00	.20034 00
.71898-06	-.98600 00	.56944-05	.21607-06	-.99950 00	.10302-05	.32410-06	-.99939 00	.47647-06

LINEAR LOAD

 $\alpha = 1.60$ $\beta = 1.60$ $b/a=0.50$ $b/a=1.00$ $b/a=2.00$

DEF	X	Y	DEF	X	Y	DEF	X	Y
.18201-02	.0	.0	.12467-01	.0	.0	.29093-01	.0	.0
.22566-02	.11801 00	.0	.14418-01	.18933 00	.0	.31543-01	.23185 00	.0
.22259-02	.11371 00	.31019-01	.14314-01	.18287 00	.49011-01	.31511-01	.27445 00	.59116-01
.21413-02	.10127 00	.59517-01	.14013-01	.16395 00	.94666-01	.31383-01	.20249 00	.11490 00
.20207-02	.81962-01	.83414-01	.13541-01	.13386 00	.13386 00	.31069-01	.16678 00	.16398 00
.18845-02	.57464-01	.10127 00	.12936-01	.94666-01	.16395 00	.30450-01	.11900 00	.20249 00
.17491-02	.29565-01	.11225 00	.12238-01	.49011-01	.18287 00	.29425-01	.62021-01	.22735 00
.16242-02	.37350-07	.11595 00	.11491-01	.62057-07	.18933 00	.27984-01	.78722-07	.23596 00
.15147-02	-.29565-01	.11225 00	.10740-01	-.49010-01	.18287 00	.26243-01	-.62020-01	.22735 00
.14223-02	-.57463-01	.10127 00	.10037-01	-.94665-01	.16395 00	.24425-01	-.11900 00	.20249 00
.13477-02	-.81962-01	.83414-01	.94289-02	-.13386 00	.13386 00	.22770-01	-.16678 00	.16388 00
.12919-02	-.10127 00	.59518-01	.89663-02	-.16395 00	.94666-01	.21473-01	-.20249 00	.11490 00
.12569-02	-.11371 00	.31019-01	.86645-02	-.18287 00	.49011-01	.20656-01	-.22445 00	.59116-01
.12450-02	-.11801 00	.78700-07	.85634-02	-.18933 00	.12411-06	.20379-01	-.23185 00	.14945-06
.24664-02	.24289 00	.0	.13371-01	.37901 00	.0	.25789-01	.45254 00	.0
.23590-02	.23191 00	.67077-01	.13173-01	.36583 00	.98356-01	.25985-01	.44055 00	.11064 00
.20985-02	.20194 00	.12548 00	.12634-01	.32759 00	.18950 00	.26522-01	.40399 00	.21817 00
.17970-02	.15917 00	.17070 00	.11866-01	.26748 00	.26748 00	.27200-01	.34130 00	.31826 00
.15258-02	.10911 00	.20205 00	.10954-01	.18950 00	.32759 00	.27563-01	.25088 00	.40377 00
.13065-02	.55330-01	.22033 00	.99333-02	.98356-01	.36583 00	.26888-01	.13411 00	.46370 00
.11352-02	.69526-07	.22632 00	.88257-02	.12467-06	.37901 00	.24613-01	.17192-06	.48564 00
.10004-02	-.55330-01	.22033 00	.76837-02	.98355-01	.36583 00	.21054-01	.13411 00	.46370 00
.89010-03	-.10911 00	.20205 00	.65960-02	-.18950 00	.32759 00	.17295-01	-.25088 00	.40377 00
.79409-03	-.15917 00	.17070 00	.56510-02	-.26748 00	.26748 00	.14215-01	-.34130 00	.31826 00
.70816-03	-.20194 00	.12548 00	.49158-02	-.32759 00	.18950 00	.12094-01	-.40399 00	.21817 00
.64074-03	-.23191 00	.67078-01	.44437-02	-.36583 00	.98357-01	.10890-01	-.44055 00	.11064 00
.61372-03	-.24289 00	.17224-06	.42799-02	-.37901 00	.24935-06	.10502-01	-.45254 00	.27768-C6
.23257-02	.38526 00	.0	.93107-02	.57084 00	.0	.14834-01	.65468 00	.0
.20504-02	.35929 00	.11668 00	.90274-02	.54926 00	.14976 00	.15109-01	.64143 00	.15055 00
.15498-02	.29852 00	.20490 00	.83718-02	.48945 00	.28529 00	.15985-01	.60049 00	.30114 00
.11447-02	.22577 00	.26352 00	.76239-02	.39969 00	.39969 00	.17520-01	.52690 00	.45146 00
.87321-03	.15060 00	.30032 00	.68845-02	.28529 00	.49945 00	.19512-01	.40966 00	.54691 00
.69565-03	.75289-01	.32079 00	.61076-02	.14976 00	.54926 00	.20785-01	.23326 00	.71837 00
.57527-03	.93748-07	.32742 00	.52030-02	.19090-06	.57084 00	.18817-01	.30993-06	.77027 00
.48700-03	-.75288-01	.32079 00	.41893-02	-.14975 00	.54926 00	.13670-01	-.23326 00	.71837 00
.41316-03	-.15060 00	.30032 00	.32158-02	-.28529 00	.48945 00	.90210-02	-.40966 00	.59691 00
.33631-03	-.22577 00	.26352 00	.23871-02	-.35969 00	.39969 00	.61531-02	-.52690 00	.45146 00
.23553-03	-.29852 00	.20490 00	.17284-02	-.48945 00	.28529 00	.45740-02	-.60049 00	.30114 00
.10581-03	-.35929 00	.11668 00	.12694-02	-.54926 00	.14976 00	.37960-02	-.64143 00	.15055 00
.29766-04	-.38526 00	.31950-06	.10952-02	-.57084 00	.38222-06	.35583-02	-.65468 00	.36113-06
.16059-02	.57087 00	.0	.36180-02	.77045 00	.0	.44251-02	.83604 00	.0
.10675-02	.49649 00	.19876 00	.33532-02	.73351 00	.20810 00	.45304-02	.82306 00	.17938 00
.58998-03	.38113 00	.30263 00	.29161-02	.64577 00	.38346 00	.49330-02	.78518 00	.36084 00
.36557-03	.27601 00	.35920 00	.25602-02	.52787 00	.52787 00	.58074-02	.71821 00	.55194 00
.25380-03	.18045 00	.39268 00	.22955-02	.38346 00	.64577 00	.74474-02	.60505 00	.76214 00
.19234-03	.89700-01	.41162 00	.20583-02	.26810 00	.73351 00	.10054-01	.39727 00	.99269 00
.15463-03	.10964-06	.41810 00	.17255-02	.27443-06	.77045 00	.10244-01	.65767-06	.11413 01
.12748-03	.89699-01	.41162 00	.12554-02	-.20809 00	.73351 00	.49439-02	-.39727 00	.99269 00
.10397-03	-.18045 00	.39268 00	.82738-03	-.38346 00	.64577 00	.22633-02	-.60505 00	.76215 00
.74886-04	-.27601 00	.35920 00	.48945-03	.52787 00	.52788 00	.12344-02	.71821 00	.55194 00
.17621-04	.38113 00	.30263 00	.20674-03	-.64576 00	.38346 00	.78709-03	.78518 00	.36094 00
-.12846-03	.49649 00	.19876 00	-.39532-04	-.73351 00	.20810 00	.58273-03	-.82306 00	.17938 00
-.32259-03	-.57087 00	.71161-06	-.16676-03	-.77045 00	.55202-06	.51954-03	-.83604 00	.34954-06
.16913-05	.98600 00	.0	.62212-06	.99950 00	.0	.11325-05	.99339 00	.0
.15758-05	.61316 00	.34135 00	.56624-06	.91472 00	.28320 00	.11250-05	.98351 00	.20034 00
.44843-06	.43578 00	.41300 00	.49919-06	.79042 00	.48445 00	.15348-05	.95193 00	.39960 00
.31665-06	.30745 00	.45142 00	.50664-06	.64849 00	.64849 00	.16317-05	.90255 00	.61546 00
.47032-07	.19990 00	.47614 00	.42468-06	.48445 00	.79042 00	.33379-05	.82550 00	.87174 00
.36089-07	.10037 00	.49196 00	.40606-06	.28320 00	.91472 00	.28372-04	.68214 00	.12265 01
.31432-07	.26093-06	.49960 00	.31292-06	.53709-06	.99950 00	.19491-04	.59119-05	.19698 01
.59139-07	-.10037 00	.49196 00	.39488-06	-.28320 00	.91472 00	-.15348-05	-.68214 00	.12265 01
.95693-07	-.19990 00	.47614 00	.42941-06	-.48445 00	.79042 00	.14196-05	-.82550 00	.87174 00
.77067-07	-.30745 00	.45142 00	.33389-06	-.64849 00	.64849 00	.23283-05	-.90255 00	.61546 00
.81724-07	-.43578 00	.41300 00	.21444-06	-.79042 00	.48445 00	.17546-05	-.95193 00	.39960 00
.66590-07	-.61316 00	.34135 00	.20722-06	-.91472 00	.28320 00	.55879-06	-.98351 00	.20034 00
-.74133-06	-.98600 00	.56944-05	-.31292-06	-.99950 00	.10302-05	-.11176-06	-.99939 00	.47647-06

UNIFORM LOAD

 $\alpha = 2.00$ $\beta = 2.00$

b/a=0.50			b/a=1.00			b/a=2.00		
DEF	X	Y	DEF	X	Y	DEF	X	Y
.21200-02	.0	.0	.15625-01	.0	.0	.33987-01	.0	.0
.20569-02	.12247 00	.0	.14400-01	.20000 00	.0	.30096-01	.23997 00	.0
.20441-02	.11796 00	.32265-01	.14400-01	.19319 00	.51764-01	.30265-01	.23240 00	.61042-01
.20099-02	.10496 00	.61849-01	.14400-01	.17321 00	.10000 00	.30739-01	.20987 00	.11876 00
.19654-02	.84831-01	.86566-C1	.14400-01	.14142 00	.14142 00	.31416-01	.17309 00	.16962 00
.19231-02	.59395-01	.10496 00	.14400-01	.10000 00	.17320 00	.32128-01	.12367 00	.20986 00
.18934-02	.30529-01	.11623 00	.14400-01	.51764-01	.19319 00	.32673-C1	.64515-01	.23587 00
.18828-02	.38553-07	.12002 00	.14400-01	.65539-07	.20000 00	.32879-01	.81916-07	.24486 00
.18934-02	-.30528-01	.11623 00	.14400-01	-.51763-01	.19319 00	.32673-01	-.64514-01	.23587 00
.19231-02	-.59395-01	.10496 00	.14400-01	-.10000 00	.17321 00	.32128-01	-.12367 00	.20987 00
.19654-02	-.84831-01	.86566-01	.14400-01	-.14142 00	.14142 00	.31416-01	-.17309 00	.16962 00
.20099-02	-.10496 00	.61849-01	.14400-01	-.17320 00	.10000 00	.30739-01	-.20987 00	.11876 00
.20441-02	-.11796 00	.32266-01	.14400-01	-.19319 00	.51764-01	.30265-01	-.23240 00	.61043-01
.20569-02	-.12247 00	.81885-07	.14400-01	-.20000 00	.13108-06	.30096-01	-.23997 00	.15428-06
.18573-C2	.25310 00	.0	.11025-01	.40000 00	.0	.20740-01	.46652 00	.0
.18020-02	.24129 00	.70500-01	.11025-01	.38637 00	.10353 00	.21146-01	.45478 00	.11292 00
.16688-02	.20924 00	.13137 00	.11025-01	.34641 00	.20000 00	.22356-01	.41862 00	.22357 00
.15199-02	.16401 00	.17779 00	.11025-01	.28284 00	.28284 00	.24295-01	.35549 00	.32793 00
.13986-02	.11181 00	.20936 00	.11025-01	.20000 00	.34641 00	.26675-01	.26268 00	.41837 00
.13229-02	.56476-01	.22745 00	.11025-01	.10353 00	.38637 00	.28802-01	.14096 00	.48246 00
.12975-02	.70860-07	.23332 00	.11025-01	.13108-06	.40000 00	.29686-01	.18095-06	.50607 00
.13229-02	-.56476-01	.22745 00	.11025-01	-.10353 00	.38637 00	.28802-01	-.14096 00	.48247 00
.13986-02	-.11181 00	.20936 00	.11025-01	-.20000 00	.34641 00	.26675-01	-.26268 00	.41838 00
.15199-02	-.16401 00	.17779 00	.11025-01	-.28284 00	.28284 00	.24295-01	-.35549 00	.32793 00
.16688-02	-.20924 00	.13137 00	.11025-01	-.34641 00	.20000 00	.22356-01	-.41862 00	.22357 00
.18020-02	-.24129 00	.70501-01	.11025-01	-.38637 00	.10353 00	.21146-01	-.45478 00	.11292 00
.18573-02	-.25310 00	.18126-06	.11025-01	-.40000 00	.26215-06	.20740-01	-.46652 00	.28302-06
.14845-02	.40420 00	.0	.64000-02	.60000 00	.0	.10267-01	.67043 00	.0
.13468-02	.37557 00	.12454 00	.64000-02	.57956 00	.15529 00	.10634-01	.65884 00	.15049 00
.10887-02	.30894 00	.21692 00	.64000-02	.51962 00	.30000 00	.11807-01	.62177 00	.30383 00
.87517-03	.23065 00	.27586 00	.64000-02	.42426 00	.42426 00	.13990-01	.55159 00	.46120 00
.73860-03	.15195 00	.31096 00	.64000-02	.30000 00	.51961 00	.17394-01	.43373 00	.61775 00
.66526-C3	.75266-01	.32950 00	.64000-02	.15529 00	.57956 00	.21525-C1	.24900 00	.75096 00
.64231-03	.93347-07	.33530 00	.64000-02	.19662-06	.60000 00	.23723-01	.33151-06	.80818 00
.66526-03	-.75265-01	.32950 00	.64000-02	-.15529 00	.57956 00	.21525-01	-.24900 00	.75095 00
.73860-03	-.15195 00	.31096 00	.64000-02	-.30000 00	.51962 00	.17394-01	-.43373 00	.61775 00
.87517-03	-.23065 00	.27586 00	.64000-02	-.42426 00	.42426 00	.13990-01	-.55159 00	.46120 00
.10882-02	-.30894 00	.21692 00	.64000-02	-.51961 00	.30000 00	.11807-01	-.62177 00	.30383 00
.13468-02	-.37557 00	.12454 00	.64000-02	-.57956 00	.15529 00	.10634-01	-.65884 00	.15049 00
.14845-02	-.40420 00	.34207-06	.64000-02	-.60000 00	.39323-06	.10267-01	-.67043 00	.35775-06
.85567-03	.60425 00	.0	.20250-02	.80000 00	.0	.26698-02	.84804 00	.0
.62062-03	.52235 00	.21589 00	.20250-02	.77274 00	.20705 00	.28011-02	.83955 00	.17350 00
.38205-03	.39282 00	.32456 00	.20250-02	.69282 00	.40000 00	.32449-02	.81172 00	.35550 00
.26201-03	.27792 00	.37794 00	.20250-02	.56569 00	.56569 00	.41891-02	.75572 00	.55574 00
.20296-03	.17780 00	.40594-00	.20250-02	.40000 00	.69282 00	.61073-02	.64895 00	.78549 00
.17522-03	.86788-01	.41988 00	.20250-02	.20706 00	.77274 00	.99166-02	.43159 00	.10444 01
.16703-03	.10405-06	.42414 00	.20250-02	.26215-06	.80000 00	.13668-01	.70226-06	.12081 01
.17522-03	.86787-01	.41988 00	.20250-02	-.20705 00	.77274 00	.99166-02	-.43159 00	.10444 01
.20296-03	.17780 00	.40594 00	.20250-02	-.40000 00	.69282 00	.61073-02	-.64895 00	.78550 00
.26201-03	-.27792 00	.37794 00	.20250-02	-.56568 00	.56569 00	.41891-02	-.75572 00	.55574 00
.38205-03	.39282 00	.32456 00	.20250-02	-.69282 00	.40000 00	.32449-02	-.81172 00	.35550 00
.62062-03	.52235 00	.21589 00	.20250-02	-.77274 00	.20706 00	.28011-02	-.83955 00	.17350 00
.85567-03	-.60425 00	.76677-06	.20250-02	-.80000 00	.52431-06	.26698-02	-.84904 00	.31444-06
.62957-06	.99990 00	.0	.0	.10000 01	.0	.47684-06	.99989 00	.0
.22724-C6	.64924 00	.38096 00	.0	.96593 00	.25882 00	.43213-06	.99551 00	.18485 00
.57742-07	.44392 00	.44820 00	.74506-08	.86603 00	.50000 00	.17136-06	.98164 00	.38175 00
.-14901-07	.30328 00	.47652 00	.74506-08	.7C711 00	.70711 00	.43958-06	.95297 00	.60634 00
.-13970-07	.19080 00	.49104 00	.74506-08	.50000 00	.86602 00	.14454-05	.89595 00	.88776 00
.-16298-07	.92464-01	.49792 00	.74506-08	.25882 00	.96593 00	.-11921-06	.76040 00	.12982 01
.-43306-07	.19400-06	.5001C 00	.0	.32769-06	.10000 01	.78678-05	.40380-05	.15999 01
.-13970-07	-.92463-01	.49792 00	.0	-.25882 00	.96593 00	.55605-07	-.76040 00	.12942 01
.-37253-08	-.19080 00	.49104 00	.74506-08	-.50000 00	.86603 00	.12964-05	-.89595 00	.88776 00
.-17695-07	-.30328 00	.47652 00	.74506-08	-.70711 00	.70711 00	.54389-06	-.95297 00	.60634 00
.-69918-07	-.44392 00	.44820 00	.0	-.86602 00	.50000 00	.26822-06	-.98164 00	.39175 00
.-23097-06	-.64924 00	.38096 00	.74506-08	-.96593 00	.25882 00	.34504-06	-.99551 00	.18495 00
.-62957-06	-.99990 00	.37149-05	.0	-.10000 01	.65539-06	.47684-06	-.99989 00	.28836-06

LINEAR LOAD

 $\alpha=2.00$ $\beta=2.00$ $b/a=0.50$ $b/a=1.00$ $b/a=2.00$

DEF	X	Y	DEF	X	Y	DEF	X	Y
.21200-02	.0	.0	.15625-01	.0	.0	.33887-01	.0	.0
.27405-02	.12247 00	.0	.18240-01	.20000 00	.0	.36480-01	.23997 00	.0
.26983-02	.11796 00	.32265-01	.18109-01	.19319 00	.51764-01	.36482-01	.23240 00	.61042-01
.25823-02	.10496 00	.61849-01	.17726-01	.17321 00	.10000 00	.36442-01	.20987 00	.11876 00
.24178-02	.84831-01	.86566-01	.17115-01	.14142 00	.14142 00	.36222-01	.17309 00	.16962 00
.22330-02	.59395-01	.10496 00	.16320-01	.10000 00	.17320 00	.35640-01	.12367 00	.20986 00
.20502-02	.30529-01	.11623 00	.15394-01	.51764-01	.19319 00	.34537-01	.64515-01	.23587 00
.18828-02	.38553-07	.12002 00	.14400-01	.65539-07	.20000 00	.32879-01	.81916-07	.24488 00
.17366-02	.30528-01	.11623 00	.13406-01	-.51763-01	.19319 00	.30810-01	-.64514-01	.23587 00
.16132-02	-.59395-01	.10496 00	.12480-01	-.10000 00	.17321 00	.28616-01	-.12367 00	.20987 00
.15130-02	-.84831-01	.86566-01	.11685-01	-.14142 00	.14142 00	.26609-01	-.17309 00	.16962 00
.14375-02	-.10496 00	.61849-01	.11074-01	-.17320 00	.10000 00	.25037-01	-.20987 00	.11876 00
.13898-02	-.11796 00	.32266-01	.10691-01	-.19319 00	.51764-01	.24049-01	-.23240 00	.61043-01
.13734-02	-.12247 00	.81885-07	.10560-01	-.20000 00	.13108-06	.23713-01	-.23997 00	.15428-06
.31329-02	.25310 00	.0	.16905-01	.40000 00	.0	.29292-01	.46652 00	.0
.29818-02	.24129 00	.70500-01	.167C5-01	.38637 00	.10353 00	.26647-01	.45478 00	.11292 00
.26163-02	.20924 00	.13137 00	.16117-01	.34641 00	.20000 00	.30628-01	.41862 00	.22357 00
.21962-02	.16401 00	.17779 00	.15183-01	.28284 00	.28284 00	.31429-01	.35549 00	.32793 00
.18229-02	.11181 00	.20936 00	.13965-01	.20000 00	.34641 00	.32868-01	.26268 00	.41837 00
.15256-02	.56476-01	.22745 00	.12547-01	.10353 00	.38637 00	.32391-01	.14096 00	.48246 00
.12975-02	.70860-07	.23332 00	.11025-01	.13108-06	.40000 00	.29686-01	.18095-06	.50607 00
.11202-02	-.56476-01	.22745 00	.95032-02	-.10353 00	.38637 00	.25214-01	-.14096 00	.48247 00
.97430-03	-.11181 00	.20936 00	.80850-02	-.20000 00	.34641 00	.20482-01	-.26268 00	.41838 00
.84355-03	-.16401 00	.17779 00	.68672-02	-.28284 00	.28284 00	.16661-01	-.35549 00	.32793 00
.72137-03	-.20924 00	.13137 00	.59328-02	-.34641 00	.20000 00	.14044-01	-.41862 00	.22357 00
.62217-03	-.24129 00	.70501-01	.53454-02	-.38637 00	.10353 00	.12646-01	-.45478 00	.11292 00
.58177-03	-.25310 00	.18126-06	.51540-02	-.40000 00	.26215-06	.12188-01	-.46652 00	.28302-06
.31127-02	.40420 00	.0	.11520-01	.60000 00	.0	.16351-01	.67043 00	.0
.27194-02	.37557 00	.12454 00	.11346-01	.57956 00	.15529 00	.16877-01	.65884 00	.15049 00
.20004-02	.30894 00	.21692 00	.10834-01	.51962 00	.30000 00	.13296-01	.62177 00	.30383 00
.14229-02	.23065 00	.27586 00	.10200-01	.42426 00	.42426 00	.20811-01	.55150 00	.46120 00
.10431-02	.15195 00	.31096 00	.89600-02	.30000 00	.51961 00	.24062-01	.43373 00	.61775 00
.80111-03	.75266-01	.32950 00	.77252-02	.15529 00	.57956 00	.26267-01	.24900 00	.75096 00
.64231-03	.93347-07	.33530 00	.64000-02	.19662-06	.60000 00	.23123-01	.33151-06	.80818 00
.52943-03	-.75265-01	.32950 00	.50749-02	-.15529 00	.57956 00	.16788-01	-.24900 00	.75096 00
.43412-03	-.15195 00	.31096 00	.38400-02	-.30000 00	.51962 00	.10726-01	-.43373 00	.61775 00
.32749-03	-.23065 00	.27586 00	.27796-02	-.42426 00	.42426 00	.71695-02	-.55159 00	.46120 00
.17597-03	-.30894 00	.21692 00	.19660-02	-.51961 00	.30000 00	.53184-02	-.62177 00	.30383 00
-.25771-04	-.37557 00	.12454 00	.14545-02	-.57956 00	.15529 00	.44418-02	-.65884 00	.15049 00
-.14373-03	-.40420 00	.34207-06	.12800-02	-.60000 00	.39323-06	.41834-02	-.67043 00	.35775-06
.22587-C2	.60425 00	.0	.41850-02	.80000 00	.0	.46706-02	.84804 00	.0
.15005-02	.52235 00	.21589 00	.41114-02	.77274 00	.20705 00	.48794-02	.83955 00	.17350 00
.78932-03	.39282 00	.32456 00	.38956-02	.69282 00	.40000 00	.55731-02	.81172 00	.35550 00
.45965-03	.27792 00	.37794 00	.35524-02	.56569 00	.56569 00	.69869-C2	.75572 00	.55574 00
.30086-03	.17780 00	.40594 00	.31050-02	.40000 00	.69282 00	.96097-02	.64895 00	.78549 00
.21648-03	.86788-01	.41988 00	.25841-02	.2C706 00	.77274 00	.13699-01	.43159 00	.10444 01
.16703-03	.10405-06	.42414 00	.20250-02	.26215-06	.80000 00	.13668-01	.70229-C6	.12081 01
.13398-03	-.86787-01	.41988 00	.14660-02	-.20705 00	.77274 00	.61340-02	-.43159 00	.10444 01
.10507-03	-.17780 00	.40594 00	.94501-03	-.40000 00	.69282 00	.26051-02	-.64895 00	.78550 00
.64447-04	-.27792 00	.37794 00	.49767-03	-.56568 00	.56569 00	.13914-02	-.75572 00	.55574 00
-.25160-04	-.39282 00	.32456 00	.15439-03	-.69282 00	.40000 00	.91696-03	-.81172 00	.35550 00
-.25911-03	-.52235 00	.21589 00	.61399-04	-.77274 00	.20706 00	.72289-03	-.83955 00	.17350 00
-.54729-03	-.60425 00	.76677-06	-.13501-03	-.80000 00	.52431-06	.66927-03	-.84804 00	.31444-06
.13225-05	.99990 00	.0	.37253-08	.10000 01	.0	.7C781-07	.99989 00	.0
.12480-05	.64924 00	.38096 00	.11176-07	.96593 00	.25882 00	.10543-05	.99551 00	.19485 00
.28312-06	.44392 00	.44820 00	.37253-08	.86603 00	.50000 00	.38743-06	.98164 00	.38175 00
.22072-06	.30328 00	.47652 00	.74506-08	.70711 00	.70711 00	.46939-06	.95297 00	.60634 00
.18626-07	.19080 0C	.49104 00	-.26077-07	.50000 00	.86602 00	.19670-05	.89595 00	.88776 00
.26543-07	.92464-01	.49792 00	.74506-08	.25882 00	.96593 00	.21100-04	.76040 00	.12982 01
.62166-07	.19400-06	.5001C 00	.37253-08	.32769-06	.10000 01	.12755-04	.40380-05	.19989 01
.56837-07	-.92463-01	.49792 00	.74506-C8	-.25882 00	.96593 00	-.67800-06	-.76040 00	.12982 01
.17928-07	-.19C80 00	.49104 00	.29802-07	-.50000 00	.86603 00	.25630-05	-.89595 00	.93776 00
.11176-07	-.30328 00	.47652 00	.0	-.7C711 00	.70711 00	.17546-05	-.95297 00	.60634 00
.85449-07	-.44392 00	.44820 00	.60536-08	-.86602 00	.50000 00	.84937-06	-.98164 00	.38175 00
.30268-07	-.64924 00	.38096 00	-.37253-08	-.96593 00	.25882 00	-.55605-07	-.99551 00	.18485 00
-.62585-06	-.99990 00	.37149-05	-.37253-08	-.10000 01	.65539-06	.10096-05	-.99989 00	.28836-06

UNIFORM LOAD

 $a=3.00$ $\beta=3.00$ $b/a=0.50$ $b/a=1.00$ $b/a=2.00$

DEF	X	Y	DEF	X	Y	DEF	X	Y
.24094-02	.0	.0	.18986-01	.0	.0	.38553-01	.0	.0
.23635-02	.12632 00	.0	.17395-01	.21034 00	.0	.34054-01	.24682 00	.0
.23461-02	.12162 00	.33368-01	.17398-01	.20319 00	.54427-01	.34282-01	.23913 00	.62617-01
.22998-02	.10809 00	.63889-01	.17404-01	.18219 00	.10517 00	.34920-01	.21618 00	.12196 00
.22395-02	.87226-01	.89283-01	.17407-01	.14876 00	.14876 00	.35834-01	.17857 00	.17445 00
.21824-02	.60980-01	.10809 00	.17404-01	.10517 00	.18219 00	.36798-01	.12778 00	.21618 00
.21426-C2	.31309-01	.11956 00	.17398-01	.54427-01	.20319 00	.37539-01	.66737-01	.24325 00
.21283-02	.39523-07	.12341 00	.17395-01	.68903-07	.21034 00	.37818-01	.84775-07	.25265 00
.21426-C2	-.31309-01	.11956 00	.17398-01	-.54427-C1	.20319 00	.37539-01	-.66737-01	.24325 00
.21824-02	-.60979-01	.10809 00	.17404-01	-.10517 00	.18219 00	.36798-01	-.12778 00	.21618 00
.22395-02	-.87226-01	.89283-01	.17407-01	-.14876 00	.14876 00	.35834-01	-.17857 00	.17445 00
.22998-02	-.10809 00	.63889-01	.17404-01	-.18219 00	.10517 00	.34920-01	-.21618 00	.12196 00
.23461-02	-.12162 00	.33369-01	.17398-01	-.20319 00	.54427-01	.34282-01	-.23913 00	.62618-01
.23635-02	-.12632 00	.84712-07	.17395-01	-.21034 00	.13781-06	.34054-01	-.24682 00	.15821-06
.22072-02	.26233 00	.0	.13237-01	.42012 00	.0	.23106-01	.47776 00	.0
.21307-02	.24961 00	.73828-01	.13275-01	.40623 00	.10831 00	.23646-01	.46639 00	.11440 00
.19470-02	.21536 00	.13689 00	.13351-01	.36488 00	.21006 00	.25267-01	.43101 00	.22738 00
.17432-02	.16773 00	.18408 00	.13390-01	.29792 00	.29792 00	.27892-01	.36916 00	.33546 00
.15791-02	.11369 00	.21550 00	.13351-01	.21006 00	.36488 00	.31154-01	.27379 00	.43072 00
.14779-02	.57203-01	.23319 00	.13275-01	.10831 00	.40623 00	.34093-01	.14766 00	.49923 00
.14441-02	.71668-07	.23888 00	.13237-01	.13691-06	.42012 00	.35319-01	.18989-06	.52467 00
.14779-02	-.57202-01	.23320 00	.13275-01	-.10831 00	.40623 00	.34094-01	-.14766 00	.49923 00
.15791-02	-.11369 00	.21550 00	.13351-01	-.21005 00	.36488 00	.31154-01	-.27379 00	.43072 00
.17432-02	-.16773 00	.18408 00	.13390-01	-.29792 00	.29792 00	.27892-01	-.36816 00	.33546 00
.19470-02	-.21536 00	.13689 00	.13351-01	-.36488 00	.21006 00	.25267-01	-.43101 00	.22738 00
.21307-02	-.24961 00	.73829-01	.13275-01	-.40623 00	.10831 00	.23646-01	-.46639 00	.11440 00
.22072-02	-.26233 00	.19018-06	.13237-01	-.42012 00	.27384-06	.23106-01	-.47776 00	.28626-06
.18686-02	.42261 00	.0	.75028-02	.62658 00	.0	.11170-01	.68204 00	.0
.16753-02	.39068 00	.13307 00	.76077-02	.60833 00	.15897 00	.11649-01	.67196 00	.14940 00
.13081-02	.31713 00	.22900 00	.78320-02	.55050 00	.31316 00	.13201-01	.63899 00	.30379 00
.10103-02	.23328 00	.28691 00	.79524-02	.44955 00	.44955 00	.16166-01	.57384 00	.46655 00
.82502-03	.15191 00	.31949 00	.78320-02	.31316 00	.55050 00	.20933-01	.45801 00	.63426 00
.72811-03	.74712-01	.33599 00	.76077-02	.15897 00	.60833 00	.26808-01	.26615 00	.78138 00
.69820-03	.92381-07	.34103 00	.75028-02	.19970-06	.62458 00	.29900-01	.35517-06	.84524 00
.72810-03	-.74711-01	.33599 00	.76077-02	-.15897 00	.60833 00	.26808-01	-.26615 00	.78138 00
.82502-03	-.15191 00	.31949 00	.78320-02	-.31316 00	.55050 00	.20933-01	-.45801 00	.63426 00
.10103-02	-.23328 00	.28691 00	.79524-02	-.44955 00	.44955 00	.16166-01	-.57384 00	.46655 00
.13081-02	-.31713 00	.22900 00	.78320-02	-.55050 00	.31316 00	.13201-01	-.63899 00	.30379 00
.16753-02	-.39068 00	.13307 00	.76077-02	-.60833 00	.15897 00	.11649-01	-.67196 00	.14940 00
.18686-02	-.42261 00	.36749-06	.75028-02	-.62658 00	.39995-06	.11170-01	-.68204 00	.35089-06
.11479-02	.63912 0C	.0	.22364-02	.82318 00	.0	.28210-02	.85569 00	.0
.83535-03	.54789 00	.23681 00	.23278-02	.80704 00	.19996 00	.29875-02	.85008 00	.16771 00
.47574-03	.39949 00	.34781 00	.25503-02	.74534 00	.40982 00	.35623-02	.83076 00	.34692 00
.30242-03	.27556 00	.39407 00	.26913-02	.60958 00	.60958 00	.48398-02	.78819 00	.55110 00
.22260-03	.17344 00	.41536 00	.25503-02	.40982 00	.74534 00	.76142-02	.69567 00	.77901 00
.18673-03	.83893-01	.42506 00	.23278-02	.19996 00	.80704 00	.13367-01	.47362 00	.10958 01
.17634-03	.9775C-07	.42789 00	.22364-02	.24637-06	.82318 00	.18364-01	.73866-C6	.12782 C1
.18673-03	-.83893-01	.42506 00	.23278-02	-.19996 00	.80704 00	.13367-01	-.47362 00	.10958 01
.22260-03	-.17344 00	.41536 00	.25503-02	-.40982 00	.74534 00	.76142-02	-.69567 00	.77901 00
.30242-03	-.27556 00	.39407 00	.26913-02	-.60958 00	.60958 00	.48398-02	-.78819 00	.55110 00
.47574-03	-.39949 00	.34781 00	.25503-02	-.74534 00	.40982 00	.35623-02	-.83076 00	.34692 00
.83534-03	-.54789 00	.23681 00	.23278-02	-.80704 00	.19996 00	.29875-02	-.85009 00	.16771 00
.11479-02	-.63912 00	.82631-06	.22364-02	-.82318 00	.50101-06	.28210-02	-.85569 00	.26952-06
.31292-06	.99979 00	.0	.11548-06	.99980 00	.0	.18626-06	.99999 00	.0
.34645-06	.68567 00	.43897 C0	.74506-07	.99622 00	.22166 00	.20117-06	.99946 00	.17206 00
.11642-06	.43977 00	.48540 00	.89407-07	.95973 00	.48700 00	.24587-06	.99809 00	.36085 00
-.46566-08	.29161 00	.49582 00	.74506-07	.79366 00	.79366 00	.37253-06	.99164 00	.583C9 00
.14901-07	.18070 00	.49883 00	.12666-06	.48700 00	.95973 00	.52154-06	.97085 00	.87996 00
.17695-07	.86895-01	.49992 00	.59605-07	.22166 00	.99622 00	.20266-05	.87819 00	.13719 C1
.14435-07	.88664-07	.49980 00	.11548-06	.24253-06	.99980 00	.71526-05	.19392-05	.19994 01
.97789-08	-.86894-01	.49992 00	.74506-08	.22166 00	.99622 00	.18689-05	.87819 00	.13719 01
.27940-07	-.18070 00	.49883 00	.10431-06	-.48700 00	.95973 00	.37253-06	-.97085 00	.87997 00
-.14901-07	-.29161 00	.49582 00	.59605-07	-.79366 00	.79366 00	.55134-06	-.99164 00	.583C9 00
.11083-06	-.43977 00	.48540 00	.96858-07	-.95973 00	.48700 00	.43213-06	-.99809 00	.36085 00
.34273-06	-.68567 00	.43897 00	.37253-07	-.99622 00	.22166 00	.23842-06	-.99946 00	.173C6 00
.31292-06	-.99979 00	.22370-05	.11548-06	-.99980 00	.55931-06	.18626-06	-.99999 00	-.10621-06

LINEAR LOAD

 $\alpha = 3.00$ $\beta = 3.00$ $b/a = 0.50$ $b/a = 1.00$ $b/a = 2.00$

DEF	X	Y	DEF	X	Y	DEF	X	Y
.24094-02	.0	.0	.18886-01	.0	.0	.38553-01	.0	.0
.32850-02	.12632 00	.0	.22135-01	.21034 00	.0	.41120-01	.24682 00	.0
.32273-02	.12162 00	.33368-01	.22157-01	.20319 00	.54427-01	.41177-01	.23913 00	.62617-01
.30688-02	.10809 00	.63889-01	.21687-01	.18219 00	.10517 00	.41279-01	.21618 00	.12196 00
.28452-02	.87226-01	.89283-01	.20921-01	.14876 00	.14876 00	.41233-01	.17857 00	.17445 00
.25960-02	.60980-01	.10809 00	.19899-01	.10517 00	.18219 00	.40774-01	.12778 00	.21618 00
.23514-02	.31309-01	.11956 00	.18693-01	.54427-01	.20319 00	.39660-01	.66737-01	.24325 00
.21283-02	.39523-07	.12341 00	.17395-01	.68903-07	.21034 00	.37818-01	.84775-07	.25265 00
.19338-02	.-31309-01	.11956 00	.16103-01	.-54427-C1	.20319 00	.35417-01	.-66737-01	.24325 00
.17689-02	.-60979-01	.10809 00	.14910-01	.-10517 00	.18219 00	.32822-01	.-12778 00	.21618 00
.16338-02	.-87226-01	.89283-01	.13894-01	.-14876 00	.14876 00	.30434-01	.-17857 00	.17445 00
.15307-02	.-10809 00	.63889-01	.13121-01	.-18219 00	.10517 00	.28563-01	.-21618 00	.12196 00
.14648-02	.-12162 00	.33369-01	.12639-01	.-20319 00	.54427-01	.27387-01	.-23913 00	.62618-01
.14420-02	.-12632 00	.84712-07	.12475-01	.-21034 00	.13781-06	.26988-01	.-24682 00	.15821-06
.39689-02	.26233 00	.0	.20627-01	.42012 00	.0	.32358-01	.47776 00	.0
.37540-02	.24961 00	.73828-01	.20476-01	.40623 00	.10831 00	.32905-01	.46639 00	.11440 00
.32371-02	.21536 00	.13689 00	.19944-01	.36488 00	.21006 00	.34454-01	.43101 00	.22738 00
.26513-02	.16773 00	.18408 00	.18886-01	.29792 00	.29792 00	.36620-01	.36816 00	.33546 00
.21413-02	.11369 00	.21550 00	.17284-01	.21006 00	.36488 00	.38466-01	.27379 00	.43072 00
.17440-02	.57203-01	.23319 00	.15316-01	.10831 00	.40623 00	.38441-01	.14766 00	.49923 00
.14441-02	.71668-07	.23888 00	.13237-01	.13691-06	.42012 00	.35319-01	.18989-06	.52467 00
.12118-02	.-57202-01	.23320 00	.11233-01	.-10831 00	.40623 00	.29746-01	.-14766 00	.49923 00
.10170-02	.-11369 00	.21550 00	.94191-02	.-21005 00	.36488 00	.23842-01	.-27379 00	.43072 00
.83499-03	.-16773 00	.18408 00	.78941-02	.-29792 00	.29792 00	.19165-01	.-36816 00	.33546 00
.65678-03	.-21536 00	.13689 00	.67559-02	.-36488 00	.21006 00	.16080-01	.-43101 00	.22738 00
.50728-03	.-24961 00	.73829-01	.60741-02	.-40623 00	.10831 00	.14387-01	.-46639 00	.11440 00
.44553-03	.-26233 00	.19018-06	.58475-02	.-42012 00	.27384-06	.13853-01	.-47776 00	.28626-06
.42051-02	.42261 00	.0	.13630-01	.62658 00	.0	.17528-01	.68204 00	.0
.36334-02	.39068 00	.13307 00	.13706-01	.60833 00	.15897 00	.18201-01	.67196 00	.14940 00
.25777-02	.31713 00	.22900 00	.13687-01	.55050 00	.31316 00	.20323-01	.63899 00	.30379 00
.17469-02	.23328 00	.28691 00	.13008-01	.44955 00	.44955 00	.24116-01	.57384 00	.46655 00
.12227-02	.15191 00	.31949 00	.11437-01	.31316 00	.55050 00	.29322-01	.45801 00	.63426 00
.90230-03	.74712-01	.33599 00	.94337-02	.15897 00	.60833 00	.33194-01	.26615 00	.7913H 00
.69820-03	.92381-07	.34103 00	.75028-02	.15970-06	.62658 00	.29900-01	.35517-06	.84524 00
.55392-03	.-74711-01	.33599 00	.57819-02	.-15897 00	.60833 00	.20421-01	.-26615 00	.78138 00
.42731-03	.-15191 00	.31949 00	.42266-02	.-31316 00	.55050 00	.12545-01	.-45801 00	.63426 00
.27370-03	.-23328 00	.28691 00	.28966-02	.-44955 00	.44955 00	.82168-02	.-57384 00	.46655 00
.38625-04	.-31713 00	.22900 00	.19768-02	.-55050 00	.31316 00	.60790-02	.-63899 00	.30379 00
-.28277-03	.-39068 00	.13307 00	.15092-02	.-6.0833 00	.15987 00	.50975-02	.-6.7196 00	.14940 00
-.46783-03	.-42261 00	.36749-06	.13760-02	.-6.2658 00	.39995-06	.48121-02	.-6.82C4 00	.35089-06
.32067-02	.63912 00	.0	.45740-02	.82318 00	.0	.48245-02	.85569 00	.0
.21707-02	.54789 00	.23681 00	.47593-02	.8C704 00	.19996 00	.51036-02	.850C8 00	.16771 00
.10587-02	.39949 00	.34781 00	.51452-02	.74534 00	.40982 00	.6C575-02	.83076 00	.34642 00
.56654-03	.27556 00	.39407 00	.51034-02	.60958 00	.60958 00	.81249-02	.78819 00	.55110 00
.34742-03	.17344 00	.41536 00	.41949-02	.4C982 00	.74534 00	.12341-01	.69567 00	.799C1 00
.23797-03	.83893-01	.42506 00	.30929-02	.19996 00	.80704 00	.19361-01	.47362 00	.10958 01
.17635-03	.97750-07	.42789 00	.22364-02	.24637-06	.82318 00	.18364-01	.73866-06	.12732 01
.13551-03	.-83893-01	.42506 00	.15629-02	.-19996 00	.80704 00	.73742-02	.-47362 00	.10958 01
.97783-04	.-17344 00	.41536 00	.90571-03	.-4C982 00	.74534 00	.28876-02	.-6.9567 00	.799C1 00
.38359-04	.-27556 00	.39407 00	.27941-03	.-6.0958 00	.60958 00	.15549-02	.-7.8819 00	.55110 00
-.10712-03	.-39949 00	.34781 00	-.44599-04	.-7.4534 00	.40982 00	.10673-02	.-8.3076 00	.34642 00
-.49993-03	.-54789 00	.23681 00	-.10351-03	.-8.0704 00	.19996 00	.87158-03	.-8.5008 00	.16771 00
-.91090-03	.-63912 00	.82631-06	-.10101-03	.-8.2318 00	.50101-06	.81763-03	.-8.5569 00	.26952-06
.46566-06	.99979 00	.0	.34645-06	.99980 00	.0	-.11660-05	.99999 00	.0
.90152-06	.68567 00	.43897 00	.26077-06	.99622 00	.22166 00	-.14491-05	.99946 00	.17306 00
.11548-06	.43977 00	.48540 00	.20862-06	.95973 00	.48700 00	-.59232-06	.99809 00	.36085 00
.11292-06	.29161 00	.49582 00	.19372-06	.79366 00	.79366 00	-.41723-06	.99164 00	.58308 00
-.53784-07	.18070 00	.49883 00	.18254-06	.48700 00	.95973 00	.61393-05	.97085 00	.87997 00
.15367-07	.86895-01	.49992 00	.17136-06	.22166 00	.99622 00	.13411-04	.87819 00	.13719 01
.26543-07	.88664-07	.49980 00	.18626-06	.24253-06	.99980 00	.12040-04	.19392-05	.19994 01
.52387-07	.-86894-01	.49992 00	.16391-06	.-22166 00	.99622 00	.45747-05	.-8.7819 00	.13719 01
.12270-06	.-18070 00	.49883 00	.81956-07	.-48700 00	.95973 00	.28051-05	.-9.7085 00	.87997 00
.82422-07	.-29161 00	.49582 00	.13737-06	.-7.9366 00	.79366 00	.20824-05	.-9.9164 00	.58308 00
.13970-06	.-43977 00	.48540 00	.11548-06	.-9.5973 00	.48700 00	.16652-05	.-9.9809 00	.36085 00
.78231-07	.-68567 00	.43897 00	-.44703-07	.-9.9622 00	.22166 00	.18366-05	.-9.9946 00	.17306 00
-.33155-06	.-99979 00	.22370-05	-.44703-07	.-9.99980 00	.55931-06	.16727-05	.-9.99999 00	-.10621-06

UNIFORM LOAD

 $a=5.00$ $\beta=5.00$

b/a=0.50			b/a=1.00			b/a=2.00		
DEF	X	Y	DEF	X	Y	DEF	X	Y
.25144-02	.0	.0	.20044-01	.0	.0	.40218-01	.0	.0
.24796-02	.12769 00	.0	.18449-01	.21455 00	.0	.35439-01	.24913 00	.0
.24599-02	.12291 00	.33771-01	.18454-01	.20726 00	.55508-01	.35693-01	.24140 00	.63126-01
.24078-02	.10918 00	.64624-01	.18465-01	.18586 00	.10727 00	.36406-01	.21834 00	.12301 00
.23400-02	.88042-01	.90245-01	.18470-01	.15175 00	.15175 00	.37429-01	.18048 00	.176C7 00
.22761-02	.61508-01	.10918 00	.18465-01	.10727 00	.18586 00	.38513-01	.12924 00	.21834 00
.22315-02	.31566-01	.12071 00	.18454-01	.55508-01	.20726 00	.39347-01	.67537-01	.24581 00
.22156-02	.39840-07	.12457 00	.18449-01	.70268-07	.21455 00	.39661-01	.85808-07	.25536 00
.22315-02	-.31565-01	.12071 00	.18454-01	-.55508-01	.20726 00	.39347-01	-.67536-01	.24581 00
.22761-02	-.61508-01	.10918 00	.18465-01	-.10727 00	.18586 00	.38513-01	-.12924 00	.21834 00
.23400-02	-.88042-01	.90245-01	.18470-01	-.15175 00	.15175 00	.37429-01	-.18048 00	.17607 00
.24078-02	-.10918 00	.64624-01	.18465-01	-.18586 00	.10728 00	.36406-01	-.21834 00	.12301 00
.24599-02	-.12291 00	.33771-01	.18454-01	-.20726 00	.55508-01	.35693-01	-.24140 00	.63126-01
.24796-02	-.12769 00	.85748-07	.18449-01	-.21455 00	.14054-06	.35439-01	-.24913 00	.15948-06
.23549-02	.26580 00	.0	.13980-01	.42819 00	.0	.23885-01	.48132 00	.0
.22671-02	.25266 00	.75182-01	.14041-01	.41428 00	.11014 00	.24481-01	.47011 00	.11473 00
.20572-02	.21744 00	.13903 00	.14166-01	.37251 00	.214C8 00	.26277-01	.43516 00	.22835 00
.18264-02	.16886 00	.18636 00	.14231-01	.30416 00	.30416 00	.29214-01	.37269 00	.33769 00
.16428-02	.11419 00	.21760 00	.14166-01	.21408 00	.37251 00	.32905-01	.27803 00	.43484 00
.15305-02	.57370-01	.23508 00	.14041-01	.11014 00	.41428 00	.36262-01	.15036 00	.50528 CC
.14933-02	.71839-07	.24068 00	.13980-01	.13910-06	.42819 00	.37667-01	.19355-06	.53156 00
.15305-02	-.57369-01	.23508 00	.14041-01	-.11014 00	.41428 00	.36262-01	-.15035 00	.50528 00
.16428-02	-.11419 00	.21760 00	.14166-01	-.21408 00	.37251 00	.32905-01	-.27803 00	.43484 00
.18264-02	-.16886 00	.18636 00	.14231-01	-.30416 00	.30416 00	.29214-01	-.37269 00	.33769 00
.20572-02	-.21744 00	.13903 00	.14166-01	.37251 00	.214C8 00	.26277-01	-.43516 00	.22836 00
.22671-02	-.25266 00	.75183-01	.14041-01	-.41428 00	.11014 00	.24481-01	-.47011 00	.11473 00
.23549-02	-.26580 00	.19392-06	.13980-01	-.42819 00	.27825-06	.23885-01	-.48132 00	.28682-06
.20534-02	.43020 00	.0	.78168-02	.63663 00	.0	.11442-01	.68538 00	.0
.18288-02	.39648 00	.13702 00	.79756-02	.61968 00	.15968 00	.11959-01	.67578 00	.14875 00
.14005-02	.31950 00	.23399 00	.83405-02	.56390 00	.31,784 00	.13650-01	.64431 00	.30297 00
.10597-02	.23353 00	.29084 00	.85531-02	.46067 00	.46067 00	.16950-01	.58165 00	.467C1 00
.85341-03	.15150 00	.32218 00	.83405-02	.31784 00	.56390 00	.22402-01	.46795 00	.63896 00
.74765-03	.74383-01	.33792 00	.79756-02	.15968 00	.61968 00	.29252-01	.27403 00	.79290 00
.71533-03	.91876-07	.34272 00	.78168-02	.19975-06	.63663 00	.32844-01	.36616-06	.86035 00
.74765-03	-.74382-01	.33792 00	.79756-02	-.15968 00	.61968 00	.29252-01	-.27403 00	.79290 00
.85340-03	-.15150 00	.32218 00	.83405-02	.31784 00	.56390 00	.22403-01	-.46794 00	.63896 00
.10597-02	-.23353 00	.29084 00	.85531-02	-.46067 00	.46067 00	.16950-01	-.58165 00	.467C1 00
.14005-02	-.31950 00	.23399 00	.83405-02	-.56389 00	.31784 00	.13650-01	-.64431 00	.30297 00
.18288-02	-.39648 00	.13703 00	.79756-02	-.61968 00	.15968 00	.11959-01	-.67578 00	.14875 00
.20534-02	-.43020 00	.38040-06	.78168-02	.63663 00	.40156-06	.11442-01	-.68538 00	.34504-06
.12955-02	.65486 00	.0	.22677-02	.83070 00	.0	.28622-02	.85763 00	.0
.95389-03	.55831 00	.24817 00	.238E2-02	.81867 00	.19507 00	.30368-02	.85259 00	.16582 00
.51546-03	.39945 00	.35758 00	.27359-02	.76957 00	.40902 00	.36472-02	.83544 00	.34292 00
.31542-03	.27314 00	.39911 00	.30337-02	.63271 00	.63271 00	.50454-02	.79816 00	.54622 00
.22803-03	.17148 00	.41776 00	.27359-02	.40902 00	.76957 00	.82463-02	.71915 00	.79884 00
.18984-03	.82911-01	.42633 00	.23862-02	.19507 00	.81867 00	.15257-01	.49629 00	.11166 01
.17890-03	.93688-07	.42885 00	.22677-02	.23156-06	.83070 00	.20714-01	.74520-06	.13096 01
.18983-03	-.82910-01	.42633 00	.23862-02	-.19506 00	.81867 00	.15257-01	-.49629 00	.11166 01
.22803-03	-.17148 00	.41776 00	.27359-02	-.40902 00	.76957 00	.82464-02	-.71514 00	.79885 00
.31542-03	-.27314 00	.39911 00	.30337-02	-.63271 00	.63271 00	.50454-02	-.79816 00	.54622 00
.51546-03	-.39945 00	.35758 00	.27359-02	-.76957 00	.40902 00	.36472-02	-.83544 00	.34292 00
.95389-03	-.55831 00	.24817 00	.238E2-02	-.81867 00	.19507 00	.30368-02	-.85259 00	.16582 00
.12955-02	-.65486 00	.85639-06	.22677-02	-.83070 00	.49663-06	.29622-02	-.85763 00	.23815-06
.21979-06	.10010 01	.0	.31292-06	.99980 00	.0	.4R056-06	.99969 00	.0
.55507-C6	.69439 00	.48274 00	.20117-06	.99984 00	.20739 00	.29057-06	.99997 00	.17C49 CC
.14994-06	.43111 00	.49820 00	.25332-06	.99601 00	.45715 00	-.11176-06	.99999 00	.35415 00
.93132-09	.28539 00	.49964 00	.28312-06	.87031 00	.87031 00	-.20862-06	.99963 00	.57C56 CC
.31665-07	.17710 00	.49987 00	.32037-06	.45715 00	.99601 00	.77486-06	.99694 00	.86212 00
.20489-07	.85284-01	.49999 00	.12666-06	.20739 00	.99984 00	.66757-05	.96512 00	.138A5 01
-.14764-07	.15355-07	.49960 00	.31292-06	.92582-07	.99980 00	.12279-04	.11666-05	.20001 01
.74506-08	-.85284-01	.49999 00	.14156-06	-.20739 00	.99984 00	.63181-05	-.96512 00	.13885 01
.54482-07	-.17710 00	.49987 00	.34273-06	-.45715 00	.996C1 00	.85427-06	-.99695 00	.86213 00
-.21420-07	-.28539 00	.49964 00	.28312-06	-.87030 00	.87031 00	-.89407-07	-.99963 00	.57056 00
.15646-06	-.43111 00	.49820 00	.21607-06	-.95601 00	.45715 00	-.13411-06	-.99999 00	.35415 00
.57369-06	-.69438 00	.48274 00	.18626-06	-.99984 00	.20739 00	.31292-06	-.99997 00	.17C49 00
.21979-06	-.10010 01	.20053-05	.31292-06	-.99980 00	.48211-06	.48056-06	-.99969 00	-.40579-06

LINEAR LOAD

 $\alpha = 5.00$ $\beta = 5.00$ $b/a=0.50$ $b/a=1.00$ $b/a=2.00$

DEF	X	Y	DEF	X	Y	DEF	X	Y
.25144-02	.0	.0	.20044-01	.0	.0	.40218-01	.0	.0
.35208-02	.12769 00	.0	.23861-01	.21455 00	.0	.42715-01	.24913 00	.0
.34551-02	.12291 00	.33771-01	.23694-01	.20726 00	.55508-01	.42799-01	.24140 00	.63126-01
.32750-02	.10918 00	.64624-01	.23190-01	.18586 00	.10727 00	.42975-01	.21834 00	.12301 00
.30218-02	.88042-01	.90245-01	.22357-01	.15175 00	.15175 00	.43027-01	.18048 00	.17607 00
.27407-02	.61508-01	.10918 00	.21231-01	.10727 00	.18586 00	.42649-01	.12924 00	.21834 00
.24657-02	.31566-01	.12071 00	.19892-01	.55508-01	.20726 00	.41561-01	.67537-01	.24581 C0
.22156-02	.39840-07	.12457 00	.18449-01	.70268-07	.21455 00	.39661-01	.85808-07	.25536 C0
.19972-02	-.31565-01	.12071 00	.17016-01	-.55508-01	.20726 00	.37133-01	-.67536-01	.24581 C0
.18114-02	-.61508-01	.10918 00	.15698-01	-.10727 00	.18586 00	.34376-01	-.12924 00	.21834 00
.16582-02	-.88042-01	.90245-01	.14583-01	-.15175 00	.15175 00	.31831-01	-.18048 00	.17607 00
.15405-02	-.10918 00	.64624-01	.13739-01	-.18586 00	.10728 00	.29838-01	-.21834 00	.12301 00
.14647-02	-.12291 00	.33771-01	.13215-01	-.20726 00	.55508-01	.28587-01	-.24140 00	.63126-01
.14384-02	-.12769 00	.85748-07	.13037-01	-.21455 00	.14054-06	.28162-01	-.24913 00	.15948-06
.14371-02	.26580 00	.0	.22025-01	.42819 00	.0	.33325-01	.48132 00	.0
.41213-02	.25266 00	.75182-01	.21920-01	.41428 00	.11014 00	.33952-01	.47011 00	.11473 00
.35217-02	.21744 00	.13903 00	.21468-01	.37251 00	.21408 00	.35749-01	.43516 00	.22835 00
.28491-02	.16886 00	.18636 00	.20393-01	.30416 00	.30416 00	.38332-01	.37269 00	.33769 00
.22713-02	.11419 00	.21760 00	.18603-01	.21408 00	.37251 00	.46670-01	.27803 00	.43484 00
.18267-02	.57370-01	.23508 00	.16346-01	.11014 00	.41428 00	.40946-01	.15036 00	.50528 00
.14933-02	.71839-07	.24068 00	.13980-01	.12910-06	.42819 00	.37667-01	.19355-06	.53156 00
.12344-02	-.57369-01	.23508 00	.11736-01	-.11014 00	.41428 00	.31579-01	-.15035 00	.50528 00
.10143-02	-.11419 00	.21760 00	.97300-02	-.21408 00	.37251 00	.25141-01	-.27803 00	.43484 00
.80379-03	-.16886 00	.18636 00	.80685-02	-.30416 00	.30416 00	.20097-01	-.37269 00	.33769 00
.59272-03	-.21744 00	.13903 00	.68646-02	-.37251 00	.21408 00	.16804-01	-.43516 00	.22836 00
.41285-03	-.25266 00	.75183-01	.61623-02	-.41428 00	.11014 00	.15010-01	-.47011 00	.11473 00
.33810-03	-.26580 00	.19392-06	.59356-02	-.42819 00	.27825-06	.14446-01	-.48132 00	.28682-06
.47861-02	.43020 00	.0	.14321-01	.63663 00	.0	.17848-01	.68538 00	.0
.41105-02	.39648 00	.13702 00	.14549-01	.61968 00	.15968 00	.18584-01	.67578 00	.14875 00
.28559-02	.31950 00	.23399 00	.14911-01	.56390 00	.31784 00	.20942-01	.64431 00	.30297 00
.18873-02	.23353 00	.29084 00	.14436-01	.46067 00	.46067 00	.25301-01	.58165 00	.467C1 C0
.12938-02	.15150 00	.32218 00	.12535-01	.31784 00	.56390 00	.31590-01	.46795 00	.63896 00
.93901-03	.74383-01	.33792 00	.10061-01	.15968 00	.61968 00	.36574-01	.27403 00	.79290 00
.71534-03	.91876-07	.34272 00	.78168-02	.19975-06	.63663 00	.32844-01	.36616-06	.86635 00
.55630-03	-.74382-01	.33792 00	.58904-02	-.15968 00	.61968 00	.21930-01	-.27403 00	.79290 00
.41300-03	-.15150 00	.32218 00	.41458-02	-.31784 00	.56390 00	.13216-01	-.46794 00	.63896 00
.23205-03	-.23353 00	.29084 00	.267C0-02	-.46067 00	.46067 00	.85991-02	-.58165 00	.46701 C0
-.54834-04	-.31950 00	.23399 00	.17705-02	-.56389 00	.31784 00	.63586-02	-.64431 00	.30297 00
-.45285-03	-.39648 00	.13703 00	.14025-02	-.61968 00	.15968 00	.53342-02	-.67578 00	.14875 00
-.67922-03	-.43020 00	.38040-06	.13123-02	-.63663 00	.40156-06	.50362-02	-.68538 00	.34604-06
.37213-02	.65486 00	.0	.46432-02	.83070 00	.0	.48560-02	.85763 00	.0
.25761-02	.55831 00	.24817 00	.49185-02	.81867 00	.19507 00	.51481-02	.85259 00	.16582 C0
.11902-02	.39945 00	.35758 00	.57151-02	.76957 00	.409C2 00	.61654-02	.83544 00	.34292 C0
.60924-03	.27314 00	.39911 00	.61439-02	.63271 00	.63271 00	.84720-02	.79816 00	.54622 00
.36419-03	.17148 00	.41776 0C	.47285-02	.4C902 00	.76957 00	.13573-C1	.71515 00	.79884 00
.24525-03	.82911-01	.42633 00	.32449-02	.19507 00	.81867 00	.22950-01	.49629 00	.11166 01
.17891-03	.93688-07	.42885 00	.22678-02	.23156-06	.83070 00	.20714-01	.74520-06	.13096 01
.13444-03	-.82910-01	.42633 00	.15278-02	-.19506 00	.81867 00	.75673-02	-.49629 00	.11166 01
.91872-04	-.17148 00	.41776 00	.74341-03	-.40902 00	.76957 00	.29197-02	-.71514 00	.79885 00
.21676-04	-.27314 00	.39911 00	.76392-04	-.63271 00	.63271 00	.16191-02	-.79816 00	.54622 00
-.15922-03	-.39945 00	.35758 00	-.24323-03	-.76957 00	.40902 00	.11293-02	-.83544 00	.34292 00
-.66814-03	-.55831 00	.24817 00	-.14597-03	-.81867 00	.19507 00	.92566-03	-.85259 00	.16582 C0
-.11303-02	-.65486 00	.85639-06	-.10754-03	-.83070 00	.49663-06	.86848-03	-.85763 00	.23815-06
-.63330-07	.10010 01	.0	.81956-06	.99980 00	.0	.13448-05	.99969 00	.0
.10096-05	.69439 00	.48274 00	.56624-06	.99984 00	.20739 00	-.41351-06	.99997 00	.17049 00
.17136-06	.43111 00	.49820 00	.53644-06	.99601 00	.45715 00	-.27530-05	.99999 00	.35415 00
.27940-06	.28539 00	.49964 00	.83447-06	.87031 00	.87031 00	-.46492-05	.99663 00	.57056 00
.74040-07	.17710 00	.49987 00	.51036-06	.45715 00	.99601 00	.54240-05	.99694 00	.86212 00
.11176-06	.85284-01	.49999 00	.47684-06	.20739 00	.99984 00	.23901-04	.96512 00	.13885 01
-.13970-08	.15355-07	.49960 00	.48429-06	.92582-07	.95980 00	.18716-04	.11666-05	.20001 01
-.17928-07	-.85284-01	.49999 00	.51036-06	-.20739 00	.99984 00	-.83037-05	-.96512 00	.13885 01
.52387-07	-.17710 00	.49987 00	.45821-06	-.45715 00	.99601 00	.87172-05	-.99695 00	.86213 C0
.36089-07	-.28539 00	.49964 00	.38743-06	-.87030 00	.87031 00	.57332-05	-.99963 00	.57056 00
.21490-06	-.43111 00	.49820 00	.35390-06	-.99601 00	.45715 00	.34645-05	-.99999 00	.35415 00
-.79395-07	-.69438 00	.48274 00	.74506-08	-.99984 00	.20739 00	.96485-06	-.99997 00	.17C49 00
-.17509-06	-.10010 01	.20053-05	.11176-07	-.99980 00	.48211-06	-.93132-07	-.99969 00	-.40579-06

UNIFORM LOAD

 $\alpha = 10.0$ $\beta = 10.0$

$b/a=0.50$			$b/a=1.00$			$b/a=2.00$		
DEF	X	Y	DEF	X	Y	DEF	X	Y
.25304-02	.0	.0	.20226-01	.0	.0	.40499-01	.0	.0
.24984-02	.12796 00	.0	.18611-01	.21557 00	.0	.35665-01	.24960 00	.0
.24782-02	.12316 00	.33852-01	.18617-01	.20824 00	.55768-01	.35925-01	.24187 00	.63227-01
.24248-02	.10938 00	.64769-01	.18628-01	.18674 00	.10778 00	.36654-01	.21879 00	.12322 00
.23555-02	.88193-01	.90431-01	.18634-01	.15248 00	.15248 00	.37700-01	.18088 00	.17640 00
.22902-02	.61604-01	.10939 00	.18628-01	.10778 00	.18674 00	.38810-01	.12955 00	.21879 00
.22446-02	.31611-01	.12092 00	.18617-01	.55769-01	.20824 00	.39665-01	.67709-01	.24635 00
.22284-02	.39896-07	.12479 00	.18611-01	.70596-07	.21557 00	.39987-01	.86031-07	.25594 00
.22446-02	-.31611-01	.12092 00	.18617-01	-.55768-01	.20824 00	.39665-01	-.67708-01	.24635 00
.22902-02	-.61604-01	.10939 00	.18628-01	-.10778 00	.18674 00	.38810-01	-.12955 00	.21879 00
.23555-02	-.88193-01	.90431-01	.18634-01	-.15248 00	.15248 00	.37700-01	-.18088 00	.17640 00
.24248-02	-.10938 00	.64770-01	.18628-01	-.18674 00	.10778 00	.36654-01	-.21879 00	.12322 00
.24782-02	-.12316 00	.33852-01	.18617-01	-.20824 00	.55769-01	.35925-01	-.24187 00	.63227-01
.24984-02	-.12796 00	.85957-07	.18611-01	-.21557 00	.14119-06	.35665-01	-.24960 00	.15973-06
.23822-02	.26652 00	.0	.14081-01	.43012 00	.0	.24001-01	.48202 00	.0
.22917-02	.25327 00	.75488-01	.14147-01	.41622 00	.11056 00	.24606-01	.47085 00	.11478 00
.20757-02	.21782 00	.13948 00	.14284-01	.37437 00	.21504 00	.26435-01	.43601 00	.22851 00
.18392-02	.16904 00	.18681 00	.14355-01	.30568 00	.30568 00	.25437-01	.37365 00	.33810 00
.16517-02	.11425 00	.21799 00	.14284-01	.21504 00	.37437 00	.33223-01	.27899 00	.43567 00
.15375-02	.57385-01	.23541 00	.14147-01	.11056 00	.41622 00	.36679-01	.15099 00	.50658 00
.14996-02	.71850-07	.24099 00	.14081-01	.13959-06	.43012 00	.38129-01	.19443-06	.53309 00
.15375-02	-.57384-01	.23541 00	.14147-01	-.11056 00	.41622 00	.36679-01	-.15099 00	.50658 00
.16517-02	-.11425 00	.21799 00	.14284-01	-.21504 00	.37437 00	.33223-01	-.27899 00	.43567 00
.18392-02	-.16904 00	.18681 00	.14355-01	-.30568 00	.30568 00	.25437-01	-.37365 00	.33810 00
.20757-02	-.21782 00	.13948 00	.14284-01	-.37437 00	.21504 00	.26435-01	-.43601 00	.22851 00
.22917-02	-.25327 00	.75488-01	.14147-01	-.41622 00	.11056 00	.24606-01	-.47085 00	.11478 00
.23822-02	-.26652 00	.19486-06	.14081-01	-.43012 00	.27926-06	.24000-01	-.48202 00	.28684-06
.20930-02	.43197 00	.0	.78404-02	.63892 00	.0	.11474-01	.68601 00	.0
.18599-02	.39769 00	.13805 00	.80089-02	.62234 00	.15972 00	.11996-01	.67649 00	.14860 00
.14162-02	.31981 00	.23510 00	.84049-02	.56729 00	.31881 00	.13709-01	.64532 00	.30272 00
.10664-02	.23343 00	.29158 00	.86428-02	.46354 00	.46354 00	.17068-01	.58323 00	.46689 00
.85660-03	.15136 00	.32263 00	.84049-02	.31881 00	.56729 00	.22668-01	.47025 00	.63968 00
.74959-03	.74298-01	.33822 00	.80C89-02	.15972 00	.62234 00	.25769-01	.27612 00	.79546 CC
.71696-03	.91736-07	.34298 00	.78404-02	.19948-06	.63892 00	.33498-01	.36920-06	.86401 00
.74959-03	-.74298-01	.33822 00	.80088-02	-.15972 00	.62234 00	.25769-01	-.27612 00	.79546 CC
.85660-03	-.15135 00	.32263 00	.84049-02	-.31881 00	.56729 00	.22668-01	-.47025 00	.63968 00
.10664-02	-.23343 00	.29158 00	.86428-02	-.46354 00	.46354 00	.17068-01	-.58323 00	.46689 00
.14162-02	-.31981 00	.23510 00	.84049-02	-.56729 00	.31881 00	.13709-01	-.64532 00	.30272 00
.18599-02	-.39769 00	.13805 00	.80089-02	-.62234 00	.15972 00	.11996-01	-.67649 00	.14860 00
.20930-02	-.43197 00	.38426-06	.78404-02	-.63892 00	.40186-06	.11474-01	-.68601 00	.34426-06
.13283-02	.65899 00	.0	.22595-02	.83225 00	.0	.28643-02	.85799 00	.0
.98149-03	.56050 00	.25166 00	.23786-02	.82102 00	.19367 00	.30394-02	.853C1 00	.16546 00
.52085-03	.39874 00	.35961 00	.27465-02	.77567 00	.40757 00	.36531-02	.83618 00	.34213 00
.31640-03	.27244 00	.39984 00	.30985-02	.63986 00	.63986 00	.50644-02	.79978 00	.54487 00
.22828-03	.17107 00	.41806 00	.27465-02	.40757 00	.77567 00	.83385-02	.71934 00	.79756 00
.18993-03	.82731-01	.42648 00	.23786-02	.19367 00	.82102 00	.15708-01	.50335 00	.11211 C1
.17897-03	.91987-07	.42898 00	.22595-02	.22368-06	.83225 00	.21253-01	.74598-06	.13181 01
.18993-03	-.82730-01	.42648 00	.23786-02	-.19367 00	.82102 00	.15708-01	-.50335 00	.11211 01
.22828-03	-.17107 00	.41806 00	.27465-02	-.40757 00	.77567 00	.83385-02	-.71934 00	.79756 00
.31640-03	-.27243 00	.39984 00	.30985-02	-.63986 00	.63986 00	.50645-02	-.79978 00	.54487 00
.52085-03	-.39873 00	.35961 00	.27465-02	-.77567 00	.40757 00	.36531-02	-.83618 00	.34213 00
.98148-03	-.56050 00	.25166 00	.23786-02	-.82102 00	.19367 00	.30394-02	-.85301 00	.16546 00
.13283-02	.65899 00	.86696-06	.22595-02	-.83225 00	.49513-06	.28643-02	-.85799 00	.22634-06
.47311-06	.59959 00	.0	.63702-06	.99990 00	.0	.29802-07	.10007 01	.0
.63702-06	.68806 00	.50076 00	.42468-06	.99981 00	.20496 00	.64820-06	.99995 00	.17C63 CC
.16205-06	.42686 00	.49965 00	.36508-06	.99982 00	.44685 00	.44703-07	.99964 00	.35365 00
-.17695-07	.28411 00	.49964 00	.74506-06	.93105 00	.93105 00	.38743-06	.99878 00	.56816 CC
.49360-07	.17655 00	.49978 00	.42468-06	.44685 00	.99982 00	.53644-06	.99954 00	.85468 00
.44238-07	.85114-01	.49998 00	.52154-06	.20496 00	.99982 00	.75102-05	.10011 01	.13756 01
-.15356-07	.91054-08	.50040 00	.637C2-06	-.66063-07	.99990 00	.13947-04	.86415-06	.19995 01
.30268-07	-.85114-01	.49998 00	.44703-06	-.20496 00	.99981 00	.83447-05	-.10011 01	.13756 C1
.66590-07	-.17655 00	.49978 00	.37998-06	-.44685 00	.99982 00	.43213-06	-.99954 00	.85468 00
-.29802-07	-.28411 00	.49964 00	.70035-06	-.93104 00	.93105 00	.29802-07	-.99878 00	.56816 00
.18813-06	-.42686 00	.49965 00	.43958-06	-.99982 00	.44685 00	-.17881-C6	-.99964 00	.35365 00
.64075-06	-.68806 00	.50076 00	.51409-06	-.99982 00	.20496 00	.58115-06	-.99994 00	.17063 00
.47311-06	-.99959 00	.16949-05	.63702-06	-.99990 00	.22996-06	.29802-07	-.10007 01	-.58824-06

LINEAR LOAD

 $\alpha = 10.0$ $\beta = 10.0$

b/a=0.50			b/a=1.00			b/a=2.00		
DEF	X	Y	DEF	X	Y	DEF	X	Y
.25304-02	.0	.0	.20226-01	.0	.0	.40495-01	.0	.0
.35661-02	.12796 00	.0	.24131-01	.21557 00	.0	.42974-01	.24960 00	.0
.34985-02	.12316 00	.33852-01	.23962-01	.20824 00	.55768-01	.43064-01	.24187 00	.63227-01
.33136-02	.10938 00	.64769-01	.23452-01	.18674 00	.10778 00	.43257-01	.21879 00	.12322 00
.30538-02	.88193-01	.90431-01	.22605-01	.15248 00	.15248 00	.43332-01	.18088 00	.17640 00
.27658-02	.61604-01	.10939 00	.21456-01	.10778 00	.18674 00	.42975-01	.12955 00	.21879 00
.24843-02	.31611-01	.12092 00	.20087-01	.55769-01	.20824 00	.41895-01	.67709-01	.24635 00
.22284-02	.39896-07	.12479 00	.18611-01	.7C596-07	.21557 00	.39987-01	.86031-07	.25594 00
.20049-02	-.31611-01	.12092 00	.17146-01	-.55768-01	.20824 00	.37434-01	-.67708-01	.24635 00
.18145-02	-.61604-01	.10939 00	.15800-01	-.10778 00	.18674 00	.34644-01	-.12955 00	.21879 00
.16572-02	-.88193-01	.90431-01	.14663-01	-.15248 00	.15248 00	.32069-01	-.18088 00	.17640 00
.15361-02	-.10938 00	.64770-01	.13804-01	-.18674 00	.10778 00	.30051-01	-.21879 00	.12322 00
.14580-02	-.12316 00	.33852-01	.13271-01	-.20824 00	.55769-01	.28785-01	-.24187 00	.63227-01
.14307-02	-.12796 00	.85957-07	.13091-01	-.21557 00	.14119-06	.28356-01	-.24960 00	.15973-06
.44582-02	.26652 00	.0	.22262-01	.43012 00	.0	.33462-01	.48202 00	.0
.41987-02	.25327 00	.75488-01	.22171-01	.41622 00	.11056 00	.34105-01	.47C85 00	.11478 00
.35788-02	.21782 00	.13948 00	.21746-01	.37437 00	.21504 00	.35951-01	.43601 00	.22851 00
.28862-02	.16904 00	.18681 00	.20674-01	.30568 00	.30568 00	.38623-01	.37365 00	.33810 00
.22939-02	.11425 00	.21799 00	.18840-01	.21504 00	.37437 00	.41079-01	.27899 00	.43567 00
.18397-02	.57385-01	.23541 00	.16514-01	.11056 00	.41622 00	.41438-01	.15099 00	.50658 00
.14996-02	.71850-07	.24099 00	.14081-01	.13959-06	.43012 00	.38129-01	.19443-06	.53309 00
.12352-02	-.57384-01	.23541 00	.11780-01	-.11056 00	.41622 00	.31921-01	-.15099 00	.50658 00
.10095-02	-.11425 00	.21799 00	.97279-02	-.21504 00	.37437 00	.25367-01	-.27899 00	.43567 00
.79217-03	-.16904 00	.18681 00	.80359-02	-.30568 00	.30568 00	.20251-01	-.37365 00	.33810 00
.57267-03	-.21782 00	.13948 00	.68222-02	-.37437 00	.21504 00	.16920-01	-.43601 00	.22851 00
.38463-03	-.25327 00	.75488-01	.61234-02	-.41622 00	.11056 00	.15108-01	-.47085 00	.11478 00
.30630-03	-.26652 00	.19480-06	.58996-02	-.43012 00	.27926-06	.14538-01	-.48202 00	.28684-06
.49249-02	.43197 00	.0	.14409-01	.63892 00	.0	.17879-01	.68601 00	.0
.42203-02	.39769 00	.13805 00	.14672-01	.62234 00	.15972 00	.18623-01	.67649 00	.14860 00
.29125-02	.31981 00	.23510 00	.15141-01	.56729 00	.31881 00	.21019-01	.64532 00	.30272 00
.19122-02	.23343 00	.29158 00	.14745-01	.46354 00	.46354 00	.25483-01	.58323 00	.46689 00
.13051-02	.15136 00	.32263 00	.12748-01	.31881 00	.56729 00	.32029-01	.47025 00	.63968 00
.94413-03	.74298-01	.33822 00	.10153-01	.15972 00	.62234 00	.37347-C1	.27612 00	.79546 00
.71696-03	.91736-07	.34298 00	.78404-02	.19948-06	.63892 00	.33498-01	.36920-06	.86401 00
.55505-03	-.74298-01	.33822 00	.58645-02	-.15972 00	.62234 00	.22192-01	-.27612 00	.79546 00
.40810-03	-.15135 00	.32263 00	.40618-02	.31881 00	.56729 00	.13307-01	-.47C25 00	.63968 00
.22057-03	-.23343 00	.29158 00	.25410-02	.46354 00	.46354 00	.86534-02	-.58323 00	.46689 00
-.R0115-04	-.31981 00	.23510 00	.16688-02	.56729 00	.31881 00	.64C03-02	-.64532 00	.30272 00
-.50045-03	-.39769 00	.13805 00	.13458-02	-.62234 00	.15972 00	.53696-02	-.67649 00	.14860 00
-.73898-03	-.43197 00	.38426-06	.12714-02	-.63892 00	.40186-06	.50696-02	-.68601 00	.34426-C6
.38484-02	.65899 00	.0	.46334-02	.83225 00	.0	.48527-02	.85799 00	.0
.26827-02	.56050 00	.25166 C0	.49185-02	.82102 00	.19367 00	.51452-02	.85301 00	.16546 C0
.17138-02	.39874 00	.35961 00	.58071-02	.77567 00	.40757 00	.61678-02	.83618 00	.34213 00
.61513-03	.27244 00	.39984 00	.64574-02	.63986 00	.63986 00	.85022-02	.79978 00	.54487 00
.36631-03	.17107 00	.41806 00	.48242-02	.40757 00	.77567 00	.13783-01	.71934 00	.79756 00
.24603-03	.82731-01	.42648 00	.32538-02	.19367 00	.82102 00	.24002-01	.50335 00	.11211 01
.17897-03	.91987-07	.42898 00	.22595-02	.22368-06	.83225 00	.21253-01	.74598-C6	.13181 C1
.13384-03	-.82730-01	.42648 00	.15037-02	-.19367 00	.82102 00	.74165-02	-.50335 00	.11211 01
.90279-04	-.17107 00	.41806 00	.66890-03	-.40757 00	.77567 00	.28943-02	-.71934 00	.79756 00
.17734-04	-.27243 00	.39984 00	-.26011-03	.63986 00	.63986 00	.16271-02	-.79978 00	.54487 00
-.17205-03	-.39873 00	.35961 00	.-31400-03	-.77567 00	.40757 00	.11387-02	-.83618 00	.34213 00
-.71961-03	.56050 00	.25166 00	.-16114-03	-.82102 00	.19367 00	.93383-03	-.95301 00	.16546 C0
-.11918-02	.65899 00	.86696-06	-.11420-03	-.83225 00	.49513-06	.87605-03	-.85799 00	.22634-06
.68545-06	.99959 00	.0	.15646-05	.99990 00	.0	.13039-06	.10007 01	.0
.12480-05	.68806 00	.50076 00	.11474-05	.99981 00	.20496 00	.69663-06	.99995 00	.17043 00
.23097-06	.42686 00	.49965 00	.82701-06	.99982 00	.44685 00	.29057-05	.99964 00	.35365 00
.31851-06	.28411 00	.49964 00	.13173-04	.93105 00	.93105 00	.-42319-05	.99878 00	.56816 C0
.15250-06	.17655 00	.49978 00	.10654-05	.44685 00	.99982 00	.47088-05	.99954 00	.85468 C0
.16484-06	.85114-01	.49998 00	.12517-05	.20496 00	.99982 00	.27418-04	.10C11 01	.13756 C1
.10245-07	.91054-08	.50040 00	.95367-06	-.66063-07	.99990 00	.22888-04	.86415-06	.19985 01
-.25611-08	-.85114-01	.49998 00	.11995-05	-.20496 00	.99981 00	-.82366-05	-.10011 01	.13756 C1
.28871-07	-.17655 00	.49978 00	.38370-06	-.44685 00	.99982 00	.10118-04	-.99954 00	.85468 00
.17695-07	-.28411 00	.49964 00	.62212-06	-.93104 00	.93105 00	.55209-05	-.99878 00	.56816 00
.22771-06	-.42686 00	.49965 00	.52154-06	-.99982 00	.44685 00	.38855-05	-.99964 00	.35365 00
.40536-06	-.68806 00	.50076 00	-.96858-07	-.99982 00	.20496 00	.10729-05	-.99994 00	.170C63 00
-.33528-06	-.99959 00	.16949-05	.74506-07	-.99990 00	.22996-06	.51782-06	-.10007 01	-.58824-06

UNIFORM LOAD

 $\alpha=1.60$ $\beta=10.0$

b/a=0.50			b/a=1.00			b/a=2.00		
DEF	X		DEF	X	Y	DEF	X	Y
.24103-02	.0	.0	.19539-01	.0	.0	.40251-01	.0	.0
.23704-02	.12640 00	.0	.18006-01	.21310 00	.0	.35470-01	.24917 00	.0
.23522-02	.12169 00	.33408-01	.18008-01	.20584 00	.55167-01	.35723-01	.24144 00	.63138-01
.23041-02	.10812 00	.63948-01	.18010-01	.18454 00	.10659 00	.36436-01	.21837 00	.12303 00
.22416-02	.87226-01	.89336-01	.18004-01	.15063 00	.15073 00	.37457-01	.18050 00	.17610 00
.21826-02	.60963-01	.10812 00	.17990-01	.10644 00	.18454 00	.38538-01	.12925 00	.21837 00
.21414-02	.31295-01	.11958 00	.17974-01	.55067-01	.20574 00	.39370-01	.67544-01	.24584 C0
.21268-02	.39503-07	.12342 00	.17967-01	.69705-07	.21296 00	.39683-01	.85816-07	.25540 C0
.21414-02	.31295-01	.11958 00	.17974-01	.55067-01	.20574 00	.39370-01	.67543-01	.24584 CC
.21826-02	.60963-01	.10812 00	.17990-01	.10644 00	.18454 00	.38538-01	.12925 00	.21837 00
.22416-02	.87226-01	.89336-01	.18004-01	.15062 00	.15073 00	.37457-01	.18050 00	.17610 00
.23C41-02	.-10812 00	.63948-01	.18010-01	.-18454 00	.10659 00	.36436-01	.-21837 C0	.12303 00
.23522-02	.-12169 00	.33408-01	.18008-01	.-20584 00	.55168-01	.35723-01	.-24144 00	.63138-01
.23704-02	.-12640 00	.84821-07	.18006-01	.-21310 00	.13968-06	.35470-01	.-24917 00	.15951-06
.22343-02	.26281 0C	.0	.13696-01	.42579 00	.0	.23908-01	.48140 0C	.0
.21527-02	.24992 00	.74159-01	.13745-01	.41177 00	.10982 00	.24504-01	.47020 00	.11475 00
.19585-02	.21534 00	.13727 00	.13837-01	.36982 00	.21319 00	.26300-01	.43525 00	.22840 00
.17459-02	.16752 00	.18428 00	.13861-01	.30152 00	.30236 00	.29235-01	.37275 00	.33778 00
.15769-02	.11348 00	.21551 00	.13772-01	.21203 00	.36977 00	.32915-01	.27804 00	.43494 00
.14737-02	.57084-01	.23308 00	.13644-01	.10906 00	.41096 00	.36249-01	.15032 00	.50533 00
.14394-02	.71513-07	.23874 00	.13586-01	.13774-06	.42470 00	.37640-01	.19348-06	.53158 00
.14737-02	.-57084-01	.23308 00	.13644-01	.-10906 00	.41096 00	.36249-01	.-15032 00	.50533 00
.15769-02	.-11348 00	.21551 00	.13772-01	.-21203 00	.36977 00	.32915-01	.-27804 00	.43494 00
.17459-02	.-16752 00	.18428 00	.13861-01	.-30152 00	.30236 00	.29235-01	.-37275 00	.33778 00
.19585-02	.-21534 00	.13727 00	.13837-01	.-36982 00	.21319 00	.26300-01	.-43525 00	.22841 00
.21527-02	.-24992 00	.74159-01	.13745-01	.-41177 00	.10982 00	.24504-01	.-47020 00	.11475 00
.22343-02	.-26281 00	.19127-06	.13696-01	.-42579 00	.27729-06	.23908-01	.-48140 00	.28694-06
.19320-02	.42468 00	.0	.77068-02	.63427 00	.0	.11452-01	.68549 00	.0
.17188-02	.39159 00	.13470 00	.78531-02	.61690 00	.16011 00	.11970-01	.67590 00	.14875 00
.13214-02	.31649 00	.23024 00	.81697-02	.55976 00	.31805 00	.13665-01	.64448 00	.30300 00
.10095-02	.23236 00	.28714 00	.82981-02	.45523 00	.45863 00	.16970-01	.58185 00	.46717 00
.82090-03	.15134 00	.31919 00	.80546-02	.31382 00	.55893 00	.22416-01	.46797 00	.63932 00
.72396-03	.74498-01	.33558 00	.77309-02	.15821 00	.614C4 00	.29179-01	.27362 00	.793C3 CC
.69430-03	.92062-07	.34064 00	.75984-02	.19792-06	.63122 00	.32667-01	.36473-06	.85993 00
.72396-03	.-74497-01	.33558 C0	.77309-02	.-19820 00	.614C4 00	.25179-01	.-27362 00	.793C3 00
.82089-03	.-15134 00	.31919 00	.80546-02	.-31382 00	.55893 00	.22416-01	.-46797 00	.63932 00
.10C95-02	.-23236 00	.28714 00	.82981-02	.-45523 00	.45863 00	.16970-01	.-58184 00	.46717 00
.13214-02	.-31649 00	.23024 00	.81697-02	.-55976 00	.31805 00	.13665-01	.-64448 00	.30300 00
.17188-02	.-39158 00	.13470 00	.78531-02	.-61690 00	.16011 00	.11970-01	.-67590 00	.14875 00
.19320-02	.-42468 00	.37517-06	.77068-02	.-6 3427 00	.39849-06	.11452-01	.-68549 00	.34692-06
.12308-02	.64662 00	.0	.22512-02	.82938 00	.0	.28461-02	.85770 00	.0
.88161-03	.54929 00	.24352 00	.23680-02	.81702 00	.19657 00	.30390-02	.85269 00	.16576 CC
.47884-03	.39617 00	.35006 00	.27060-02	.76551 00	.41316 00	.36508-02	.83566 00	.34283 00
.29948-03	.27339 00	.39346 00	.29024-02	.61932 00	.63247 00	.50545-02	.79865 00	.54621 00
.22202-03	.17271 00	.41427 00	.25889-02	.40253 00	.75830 00	.82817-02	.716C2 00	.79976 00
.18526-03	.83856-01	.42431 00	.23146-02	.19558 00	.81042 00	.15205-01	.49381 00	.11186 01
.17526-03	.95670-07	.42740 00	.22258-02	.22822-06	.82521 00	.20243-01	.72244-06	.13055 01
.18525-03	.-83855-01	.42431 00	.23146-02	.-19558 00	.81042 00	.15205-01	.-49380 00	.11186 01
.22202-03	.-17271 00	.41427 00	.25889-02	.-40253 00	.75830 00	.82818-02	.-71601 00	.79976 00
.29947-03	.-27339 00	.39346 00	.29025-02	.-61932 00	.63247 00	.50545-02	.-79865 00	.54621 00
.47886-03	.-39617 00	.35006 00	.27061-02	.-76551 00	.41317 00	.36508-02	.-83566 00	.34283 00
.88160-03	.-54929 00	.24352 00	.23680-02	.-81702 00	.19657 00	.3C390-02	.-85269 00	.16576 00
.12308-02	.-64662 00	.86505-06	.22512-02	.-82938 00	.46752-06	.28461-02	.-85770 00	.24042-06
.52899-06	.10002 01	.0	.76368-06	.99989 00	.0	.79721-06	.99989 00	.0
.58860-06	.67356 00	.46271 00	.56624-06	.99983 00	.20893 00	.40978-06	.99982 00	.17022 00
.16298-06	.43154 00	.48525 00	.65565-06	.99965 00	.46265 00	.28312-06	.99982 00	.35395 00
-1.5832-07	.28864 00	.49285 00	.76741-06	.75938 00	.88664 00	-1.32783-06	.99991 00	.57000 00
.43772-07	.18015 00	.49684 00	.76741-06	.45615 00	.96692 00	.46194-06	.10000 01	.86143 00
.19092-07	.86877-01	.49884 00	.69290-06	.21572 00	.99120 00	.63181-05	.97996 00	.14169 01
-1.16764-C7	.53488-07	.49980 00	.80094-06	.13022-06	.99969 00	.10550-04	.13790-05	.19991 C1
.10245-07	.-86877-01	.49884 00	.73016-06	.-21572 00	.99120 00	.60797-05	.-97996 00	.14169 01
.63330-07	.-18015 00	.49684 00	.78976-06	.-45615 00	.96692 00	.40233-06	.-10000 01	.86143 CC
-1.18626-07	.-28864 00	.49285 00	.85682-06	.-79938 00	.88664 00	-1.74506-07	.-99991 00	.570C0 CC
.17695-06	.-43154 00	.48525 00	.52154-06	.-99965 00	.46265 00	.26077-06	.-99982 00	.35395 00
.59605-06	.-67356 0C	.46271 00	.58115-06	.-99983 00	.20893 00	.46194-06	.-99983 00	.17022 00
.52899-06	.-10002 01	.21363-05	.76368-06	.-99989 00	.28715-06	.79721-06	.-99989 00	.-30697-06

LINEAR LOAD

 $\alpha=1.60$ $\beta=10.0$ $b/a=0.50$ $b/a=1.00$ $b/a=2.00$

DEF	X	Y	DEF	X	Y	DEF	X	Y
.24103-02	.0	.0	.19539-01	.0	.0	.40251-01	.0	.0
.33308-02	.12640 00	.0	.23305-01	.21310 00	.0	.42762-01	.24917 00	.0
.32702-02	.12169 00	.33408-01	.23136-01	.20584 00	.55167-01	.42846-01	.24144 00	.63138-01
.31042-02	.10812 00	.63948-01	.22629-01	.18454 00	.10659 00	.43020-01	.21837 00	.12303 00
.28708-02	.87226-01	.89336-01	.21798-01	.15063 00	.15073 00	.43069-01	.18050 00	.17610 00
.26115-02	.60963-01	.10812 00	.20685-01	.10644 00	.18454 00	.42686-01	.12925 00	.21837 00
.23578-02	.31295-01	.11958 00	.19373-01	.55067-01	.20574 00	.41590-01	.67544-01	.24584 00
.21268-02	.39503-07	.12342 00	.17967-01	.69705-07	.21296 00	.39683-01	.85816-07	.25540 CO
.19251-02	.-31295-01	.11958 00	.16575-01	.-55067-01	.20574 00	.37150-01	.-67543-01	.24584 00
.17536-02	.-60963-01	.10812 00	.15295-01	.-10644 00	.18454 00	.34389-01	.-12925 00	.21837 00
.16123-02	.-87226-01	.89336-01	.14211-01	.-15062 00	.15073 00	.31845-01	.-18050 00	.17610 00
.15039-02	.-10812 00	.63948-01	.13390-01	.-18454 00	.10659 00	.29851-01	.-21837 00	.12303 00
.14342-02	.-12169 00	.33408-01	.12879-01	.-20584 00	.55168-01	.28601-01	.-24144 00	.63138-01
.14100-02	.-12640 00	.84821-07	.12706-01	.-21310 00	.13968-06	.28177-01	.-24917 00	.15951-06
.40910-02	.-26281 00	.0	.21625-01	.42575 00	.0	.33366-01	.48140 00	.0
.38593-02	.24992 00	.74159-01	.21497-01	.41177 00	.10982 00	.33995-01	.47020 00	.11475 00
.33063-02	.21534 00	.13727 00	.20985-01	.36982 00	.21319 00	.35799-01	.43525 00	.22840 00
.26881-02	.16752 00	.18428 00	.19849-01	.30152 00	.30236 00	.38386-01	.37275 00	.33778 00
.21570-02	.11348 00	.21551 00	.18053-01	.21203 00	.36977 00	.40714-01	.27804 00	.43494 CO
.17475-02	.57084-01	.23308 00	.15859-01	.10906 00	.41096 00	.40955-01	.15032 00	.50533 CO
.14394-02	.71513-07	.23874 00	.13586-01	.13774-06	.42470 00	.37640-01	.19348-06	.53158 00
.12000-02	.-57084-01	.23308 00	.11430-01	.-10906 00	.41096 00	.31544-01	.-15032 00	.50533 00
.99682-03	.-11348 00	.21551 00	.94916-02	.-21203 00	.36977 00	.25116-01	.-27804 00	.43494 00
.80365-03	.-16752 00	.18428 00	.78733-02	.-30152 00	.30236 00	.20085-01	.-37275 00	.33778 00
.61069-03	.-21534 00	.13727 00	.66890-02	.-36982 00	.21319 00	.16801-01	.-43525 00	.22841 00
.44612-03	.-24992 00	.74159-01	.59935-02	.-41177 00	.10982 00	.15013-01	.-47020 00	.11475 00
.37753-03	.-26281 00	.19127-06	.57683-02	.-42579 00	.27729-06	.14450-01	.-48140 00	.28694-06
.44523-02	.42468 00	.0	.14179-01	.63427 00	.0	.17867-01	.68549 00	.0
.38129-02	.39159 00	.13470 00	.14380-01	.61690 00	.16011 00	.18607-01	.67590 00	.14875 00
.26525-02	.31649 00	.23024 00	.14632-01	.55976 00	.31805 00	.20979-01	.64448 00	.30300 00
.17692-02	.23236 00	.28714 00	.13963-01	.45523 00	.45863 00	.25367-01	.58185 00	.46717 00
.12274-02	.15134 00	.31919 00	.12019-01	.31382 00	.55893 00	.31678-01	.46797 00	.63932 00
.90133-03	.74498-01	.33558 00	.96942-02	.15821 00	.61404 00	.36547-01	.27362 00	.79303 00
.69430-03	.92062-07	.34064 00	.75984-02	.19792-06	.63122 00	.32667-01	.36473-06	.85993 00
.54660-03	.-74497-01	.33558 00	.57677-02	.-15820 00	.61404 00	.21810-01	.-27362 00	.79303 00
.41436-03	.-15134 00	.31919 00	.40901-02	.-31382 00	.55893 00	.13155-01	.-46797 00	.63932 00
.24975-03	.-23236 00	.28714 00	.26333-02	.-45523 00	.45863 00	.85735-02	.-58184 00	.46717 00
.-97548-05	.-31649 00	.23024 00	.17071-02	.-55976 00	.31805 00	.63504-02	.-64448 00	.30300 00
.-37519-03	.-39158 00	.13470 00	.13263-02	.-61690 00	.16011 00	.53331-02	.-67590 00	.14875 00
.-58827-03	.-42468 00	.37517-06	.12349-02	.-63427 00	.39849-06	.50369-02	.-68549 00	.34692-06
.-35270-02	.64662 00	.0	.46366-02	.82938 00	.0	.48595-02	.85770 00	.0
.-23562-02	.54929 00	.24352 00	.49129-02	.81702 00	.19657 00	.51530-02	.85269 00	.16576 CO
.-10867-02	.39617 00	.35006 00	.56965-02	.76551 00	.41316 00	.61762-02	.83566 CO	.34283 00
.-56794-03	.27339 00	.39346 00	.58379-02	.61932 00	.63247 00	.85048-02	.79865 00	.54621 00
.-34615-03	.17271 00	.41427 00	.43867-02	.40253 00	.75830 00	.13702-01	.71602 00	.79976 00
.-23687-03	.83856-01	.42431 00	.31060-02	.19558 00	.81042 00	.22972-01	.49381 00	.11186 01
.-17526-03	.95670-07	.42740 00	.22258-02	.22822-06	.82521 00	.20243-01	.72244-06	.13055 01
.-13365-03	.-83855-01	.42431 00	.15235-02	.-19558 00	.81042 00	.74406-02	.-49380 00	.11186 01
.-94272-04	.-17271 00	.41427 00	.79139-03	.-40253 00	.75830 00	.28622-02	.-71601 00	.79976 00
.-31085-04	.-27339 00	.39346 00	.32892-04	.-61932 00	.63247 00	.16045-02	.-79865 00	.54621 00
.-12886-03	.-39617 00	.35006 00	.28431-03	.-76551 00	.41317 00	.11256-02	.-83566 00	.34293 00
.-59287-03	.-54929 00	.24352 00	.-17673-03	.-81702 00	.19657 00	.92528-03	.-85269 00	.16576 00
.-10655-02	.-64662 00	.86505-06	.-13408-03	.-82938 00	.46752-06	.86889-03	.-85770 00	.24042-06
.98112-06	.10002 01	.0	.13150-05	.99989 00	.0	.13262-05	.99989 00	.0
.11623-05	.67356 00	.46271 00	.10431-05	.99983 00	.20893 00	.-19744-06	.99982 00	.17022 00
.19744-06	.43154 00	.48525 CO	.12182-05	.99965 00	.46265 00	.-99465-06	.99982 00	.35395 00
.31968-06	.28864 00	.49285 00	.16093-05	.79938 00	.88664 00	.-36359-05	.99991 00	.57000 00
.84052-07	.18015 00	.49684 00	.95367-06	.45615 00	.96692 00	.41723-05	.10000 01	.86143 00
.11967-06	.86877-01	.49884 00	.12554-05	.21572 00	.99120 00	.22888-04	.97996 00	.14169 01
.83819-08	.53488-07	.49980 00	.10766-05	.13022-06	.99969 00	.14424-04	.13790-05	.19991 01
.-67521-08	.-86877-01	.49884 00	.12927-05	.-21572 00	.99120 00	.-27306-05	.-97996 00	.14169 01
.65658-07	.-18015 00	.49684 00	.80466-06	.-45615 00	.96692 00	.81398-05	.-10000 01	.86143 00
.35856-07	.-28864 00	.49285 00	.56775-06	.-79938 00	.88664 00	.41611-05	.-99991 00	.57000 CO
.20629-06	.-43154 00	.48525 00	.59232-06	.-99965 00	.46265 00	.24140-05	.-99982 00	.35395 00
.26193-06	.-67356 00	.46271 00	.44703-07	.-99983 00	.20893 00	.80839-06	.-99983 00	.17022 00
.-53644-06	.-10002 01	.21363-05	.20489-06	.-99989 00	.28715-06	.43213-06	.-99989 00	.-30697-06